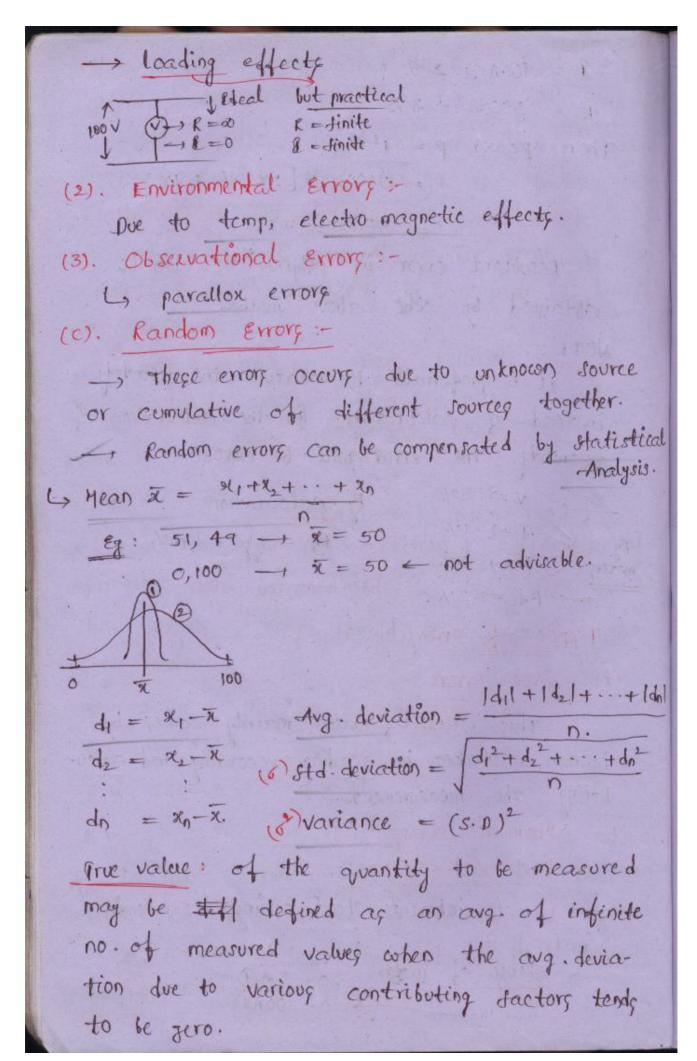
MEASUREMENTS NOTES

```
* SAT. 15/11/08 *
              MEASUREMENTS
 BASICS: At = 10 A (True value)
Am = 9.84. ( Measured value).
   Static error = Am - At
      (8A) = 9.8 - 10 = (-)0.2 A
  static correction (80) = -84
                      =-(-0.2)=0.24
   correction is to be done for Am to get At.
   2A ± 1A 1000A ± 10A 1 good.
  Relative static error = \frac{Am-At}{At}
 Accoracy: It is a measure of cropeness with which
   an instrument reading approaches the true
   value of the quantity being measured (Hesurand).
  precission:
         Reprodugability of measurements.
  Measurand: quantity under measurement.
  sensitivity :-
          8t is the vatio of magnitude of ole
  signal to the mag. of ilp signal under measu-
  rement
  Dead time: - I de l'antie d'arts montes
  It is the time required by a measurement
  System to respond to change in the measurement.
   dead time depends on damping factor selected
```

for meter. range: 0.6 to 0.8. (ex! under damped pead zone:- with & 0.6 to 0.8) At is the largest change of ill quantity for which there is no olp of the instr. Resolution of Descrimination: The smallest increment in ilp which can be detected with certainity by an instr. is known as Resolution. R₁ = 1000 R ± 10 R 990 1010 $R_2 = 500 \Omega \pm 5\Omega$ 495 (1010+505) $R_1 + R_2 = 1500 \pm 15$ 1485 1515 $R_1 - R_2 = 500 \pm 15$ 485 515 (990-505) (1010-495) * Resultant error in addition & subtraction of quantity can be obtained by adding all individual errors. They should be expressed in absolute values. V = 230V ± 21/ a = 1.10 A ± 1.1/2 whole plane with the control of P = 2300 ± 3% (V.8) $R = 23 \pm 3\%$ $(\frac{V}{8})$ * Resultant error in product & division of quantities can be obtained by adding all individual errors, and they should be expressed in percentage values. missis primarile no abroads soil land



1.1).
$$A_{m} = 6.7 \text{ A}$$
 $A_{t} = 6.54 \text{ A}$
 $Error = A_{m} - A_{t}$
 $(EA) = 0.16 \text{ A}$
 $Correction \ factor \ EC = -8A$
 $= -0.16 \text{ A}$.

1.2). Range: $0 - 2.5 \text{ V}$
 $A_{t} = 1.5 \text{ V}$
 $A_{m} = 1.46 \text{ V}$
 $Error \ 8A = A_{m} - A_{t}$
 $= -0.04 \text{ V}$
 $Correction \ EC = -8A$
 $= 0.04 \text{ V}$
 $Correction \ EC = -8A$
 $= 0.04 \text{ V}$
 $Correction \ EC = -8A$
 $= 0.04 \text{ V}$
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 $= 0.04 \text{ V}$
 $Correction \ EC = -8A$
 $= 0.04 \text{ V}$
 $Correction \ EC = -8A$
 $= 0.04 \text{ V}$
 $= -1.6 \text{ V}$

1.3). $EC = -1.6 \text{ V}$
 $= -1.6 \text{ V}$

Am = 2.5 A

$$g = 2.5 \pm 0.15 \implies 2.35 \pm 0 = 2.65 \text{ A}$$

Relative error = 0.15 \times 100

= 6%.

15). Diameter = 100 mm

= 0.1m \pm 17.

Velocity = 1 m/s \pm 3/.

+1000 rate = Areax velocity

= \frac{\pm 1}{4} \times \frac{\pm 3}{2} \times \frac{\pm 1}{4} \times \frac{\pm 1}{2} \times \frac{\pm 1}{

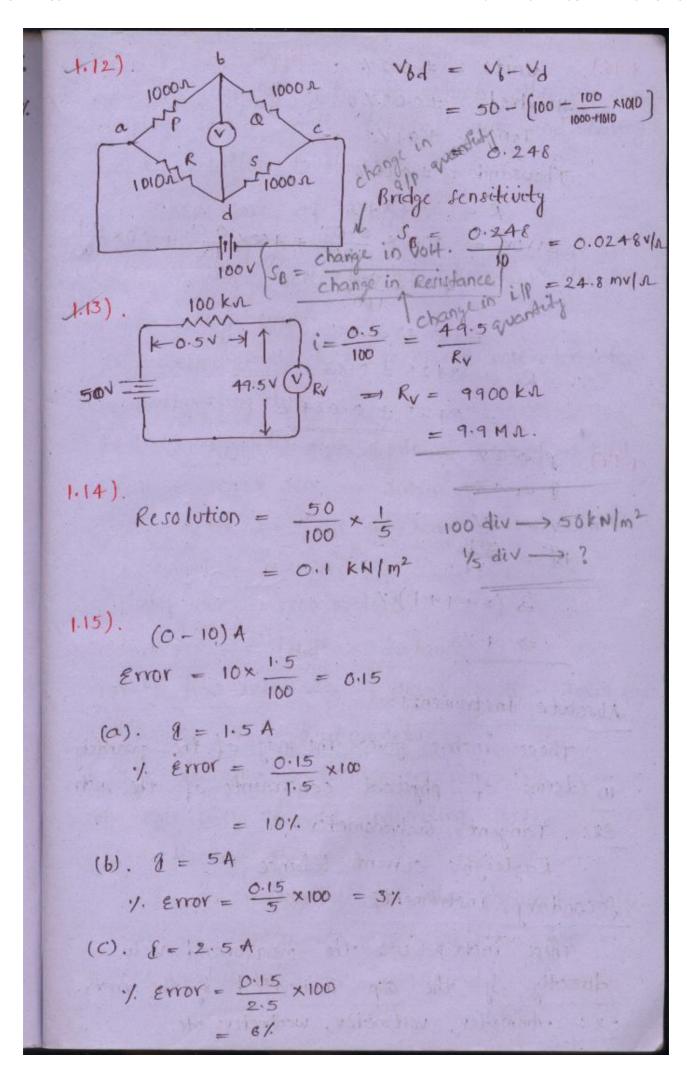
Losses =
$$21p - 01p$$

= $(1250 \pm 275)\omega$
= $1250 \omega \pm 22\%$.
 $18 = \frac{61p}{4p} = \frac{5000}{6250} = 0.8 \pm 5\%$.
Sv = 1000 n Iv
 $18 = \frac{8}{5} = \frac{100}{6250} = 0.8 \pm 5\%$.
(a). Apparent resistance = $\frac{\sqrt{8}}{8} = \frac{100}{5 \times 10^3} = 20 \text{ kg}$.
(b). Resistance of voltmeter $8v = \frac{100}{5 \times 10^3} = 20 \text{ kg}$.
(c). $\frac{1}{87} = \frac{1}{8}v + \frac{1}{8}v +$

1.9).
$$V = 123.4V$$
 Range: $(0-250)V \rightarrow V$.

 $8 = 283.5 \text{ m A}$ Range: $(0-500)\text{ m A} \rightarrow V$.

 $8 = 250 \times \frac{1}{100} + 2.5V$
 $8 = 700 \times \frac{1}{100} + 2.5V$
 $100 \times 100 \times 100 \times 100$
 $100 \times 100 \times 100$
 100



Analog Instruments:

An analog instr. in which the olp of display is a conti. fun. of time and having const. relation to its ilp.

Thege are of 3 types.

(1) . Indicating type:

ex: - Ammeter, voltmeter, of meter, waltmeter

(2). Recording type:

Ex: sesmo graph, ECG, recording voltmeter etc.

(3). Integrating type:

Ex: Energymeter -> Spdt = Energy => KWH $1 \text{ KWH} = 1000 \times 3600 = 3.6 \times 10^6 \text{ Js}$

charge meter -> sidt = charge => 1 coulomb 1 coulomb = 1 Ampere - sec 10 dt = flux

1 Amp hour = 3600 coulombg.

odo meter -> INdt = distance

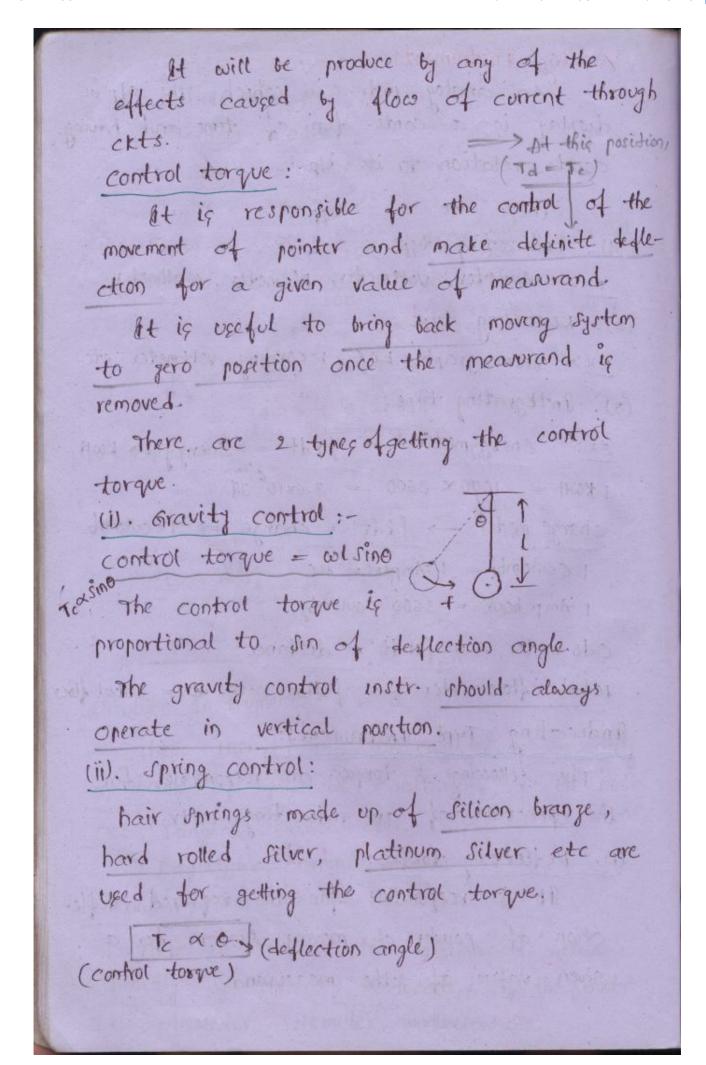
Total flow meter -> I flow rate dt = Total flow

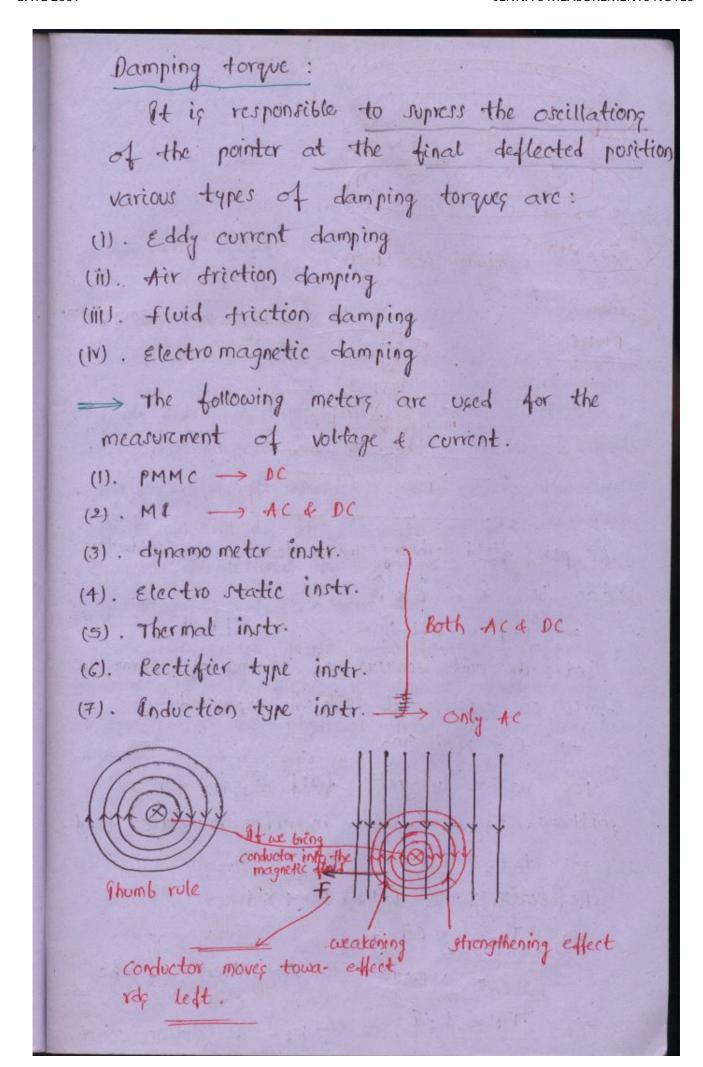
andicating Type Enstruments: :-

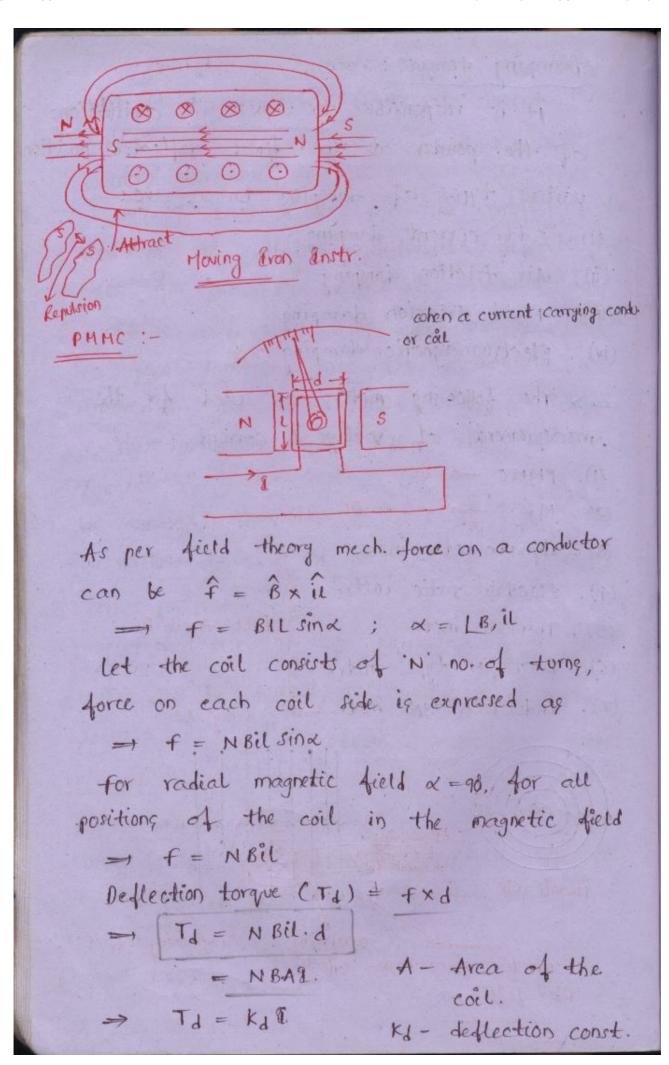
The following 3 torques are responsible for the operation of an indicating instr.

(1). Deflecting torque:

It is responsible for the required deflection of pointer of moving system. for a given value of the measurand





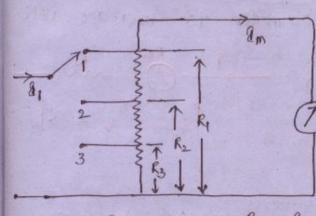


K1 = NBA units: Nm/Amp springs are used for getting the control torque. $T_c \propto 0 \Rightarrow T_c = k_c 0$ Ke -> spring const. units: Nm/rad of Nm/deg At final deflected position. Td = Tc - NBA 2 = KO -> PMMC. → [Ox 8.] -> scale iq uniform & linear. > Eddy current damping is employed in PMMC. for this purpose an Al metalic frame is used. In the case of Ammeter, coil carries the current to be measured, In the case of voltneter a current proportional to volt pass through the coil. By measuring this current volt can be evaluated The basic PHHC meter current a capacity max of 11. This is due to presence of spring in the physical part of the current from external cxt to moving coil. Ammeter shunts:-These are the small resistances connected across the moving coil [basic meter) to increse the current measuring capacity. Inkm = Psh. Rsh \mathcal{F} Rm $\frac{1}{2}$ Rsh = (d-2m) Rsh \rightarrow 8n [Rm + Rsh] = 8 Rsh

"The switch to be employed in this meter is make before break".

There is a possibility of damaging the meter due to passage of heavy currents during the transition from one range to another range.

Universal short of Ar



$$m_1 = \frac{\underline{\mathcal{A}}_1}{\underline{\mathcal{A}}_m} \; ; \; m_2 = \frac{\underline{\mathcal{A}}_2}{\underline{\mathcal{A}}_m}$$

$$m_3 = \frac{\underline{\mathcal{A}}_3}{\underline{\mathcal{A}}_m} \; .$$

P Republish 19 at pos. 1.

An Rm = $(a_1 - a_m) R_1$

$$\rightarrow m_1 = \frac{Rm}{R_1} + 1$$

$$\Rightarrow m_1 - 1 = \frac{Rm}{R_1}$$

$$\Rightarrow \left(R_1 = \frac{Rm}{m_1 - 1}\right)$$

Let switch is at pos: 2:-

$$(2-4m)R_2 = 4m(Rm+R_1-R_2)$$

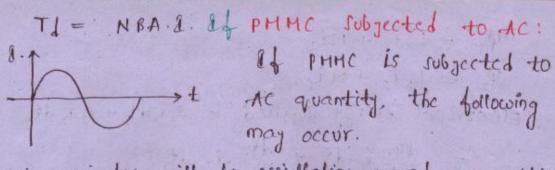
$$\Rightarrow g_2 R_2 = g_m (R_m + R_1 - R_2 + R_2)$$

$$\Rightarrow \frac{g_2}{g_m} = \frac{k_m + k_1}{k_2} - m_2$$

$$\rightarrow m_2 = \frac{R_1 + R_m}{2}$$

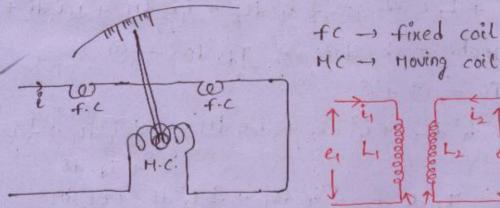
$$= R_2 = \frac{R_m + R_1}{m_2}$$

= Lld&+ 12dl.



- (1). pointer will be oscillating around zero position of the freq is low.
- (2). pointer is at standatul at zero pos. if the freq. is high.
- it is required to replace permanent magnets by electromagnets.

ELECTRO DYNAMO METER TYPE ENSTRUMENTS:



bles the two coils.

operating principle is based on change in m

* In the case of ammeter & voltmeter both the coils are connect in series and carries the same current.

Let i, iz be the instantaneous currents

passing through fed Mc res.

Acc: to Energy conservation principle

Electrical energy supplied = change in stored energy

+ mech. work done.

$$Ψ_1 = L_1 i_1 + Hi_2$$
 $Ψ_2 = L_2 i_2 + Hi_1$

Electrical energy supplied = $e_1 i_1 dt + e_2 i_2 dt^2$

= $\frac{d ψ_1}{dt} i_1 dt + \frac{d ν_2}{dt} i_2 dt$

= $\frac{i_1}{i_1} d ν_1 + i_2 d ν_2$

= $\frac{i_1}{i_1} d v_1 + i_2 d v_2$

= $\frac{i_1}{i_1} d v_1 + i_1 d v_2 d v_3 + v_4 i_2 d v_4 d v_5 d v_6 d$

Let
$$i_1 = l_{m_1} \sin \omega t$$
 $i_2 = l_{m_1} \sin \omega t$
 $i_2 = l_{m_1} \sin \omega t$

Avg. deflection torque $(T_d) = \frac{1}{2\pi} \int_0^{2\pi} (i_1 i_2 \frac{dH}{d\theta}) d\omega t$
 $T_d = \frac{1}{2\pi} \int_0^{2\pi} l_{m_2} \sin \omega t$. $\sin(\omega t - \omega)$, $\frac{dH}{d\theta}$, $d\omega t$
 $= \frac{l_{m_1} l_{m_2}}{4\pi} \int_0^{2\pi} cos \alpha - cos(2\omega t - \alpha)$, $d\omega t$. $\frac{dH}{d\theta}$
 $= \frac{l_{m_1} l_{m_2}}{4\pi} \int_0^{2\pi} cos \alpha - cos(2\omega t - \alpha)$, $d\omega t$. $\frac{dH}{d\theta}$
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 $= \frac{l_{m_1} l_{m_2}}{4\pi} \int_0^{2\pi} cos \alpha - cos(2\omega t - \alpha)$, $d\omega t$. $\frac{d\omega t}{d\theta}$
 $= \frac{l_{m_1} l_{m_2}}{4\pi} \int_0^{2\pi} cos \alpha - cos(2\omega t - \alpha)$, $d\omega t$. $d\omega t$. $d\omega t$
 $= \frac{l_{m_1} l_{m_2}}{4\pi} \int_0^{2\pi} cos \alpha - cos(2\omega t - \alpha)$, $d\omega t$
 $= \frac{l_{m_1} l_{m_2}}{4\pi} \int_0^{2$

de is, change in M 100 two coils w.r.t. deflection angle. units Henry rad.

* Air friction damping is employed for the dynamo meter type instr.

-> STANDARD FOR DC VOLT:

on the calibration of the meters transfer type instrict are used. Dynamo meter type is useful may retrain for instrict at power freq. range, since the possess good accuracy for both DCd-te.

FLECTRO STATIC TYPE INSTRUMENTS:

operating principle iq based on change of capacitance. $c = \frac{\epsilon A}{d}$.

capacitance of a short capacitor can be varied either by overlaping area blue the plates of distance blue the plates.

* These are best suitable for measurement of high voltages.

deflection torque can be obtained by the minciple of conservation of energy law. electrical energy supplied = change in stored energy + mech. work done. electrical energy supplied = vadt

$$= v \left(c \cdot \frac{dv}{dt} + v \cdot \frac{dc}{dt} \right) dt$$

$$= cv \cdot dv + v^2 dc - 0$$
Stored energy = $\frac{1}{2} cv^2$.

change in stored energy = $d \left(\frac{1}{2} cv^2 \right)$

$$= cv \cdot dv + \frac{1}{2} v^2 \cdot dc - 2$$
linear motion:

$$cv dv + v^2 dc = cv \cdot dv + \frac{1}{2} v^2 dc + f dx$$

$$\Rightarrow f = \frac{1}{2} v^2 \cdot \frac{dc}{dx}$$
Angular motion:

$$cv dv + v^2 dc = cv \cdot dv + \frac{1}{2} v^2 dc + T_d \cdot do$$

$$\Rightarrow T_d = \frac{1}{2} v^2 \cdot \frac{dc}{dx}$$
Spring control is used, so $T_c \propto 0$.

At final deflection position,

$$T_d = T_c$$

$$\Rightarrow \frac{1}{2} v^2 \cdot \frac{dc}{dx} = k_c \cdot 0 \Rightarrow 0 \propto v^2$$

$$\frac{dc}{dx} = cv \cdot dv + \frac{1}{2} v^2 \cdot dc + \frac{1}{2} cv \cdot dc$$
At final deflection position,

$$T_d = T_c$$

$$\Rightarrow \frac{1}{2} v^2 \cdot \frac{dc}{dx} = k_c \cdot 0 \Rightarrow 0 \propto v^2$$

$$\frac{dc}{dx} = cv \cdot dv + \frac{1}{2} v^2 \cdot dc + \frac{1}{2} cv \cdot dc$$

$$\Rightarrow cv \cdot dv + v^2 dc = cv \cdot dv + \frac{1}{2} v^2 \cdot dc + \frac{1}{2} cv \cdot dc$$

$$\Rightarrow cv \cdot dv + v^2 dc = cv \cdot dv + \frac{1}{2} v^2 \cdot dc + \frac{1}{2} cv \cdot dc$$

$$\Rightarrow cv \cdot dv + v^2 dc = cv \cdot dv + \frac{1}{2} v^2 \cdot dc + \frac{1}{2} cv \cdot dc$$

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$$\Rightarrow cv \cdot dv + v^2 dc + \frac{1}{2} cv \cdot dc$$

$$\Rightarrow cv \cdot dv + v^2 dc + \frac{1}{2} cv \cdot dc$$

$$\Rightarrow cv \cdot dv + v^2 dc + \frac{1}{2} cv \cdot dc$$

* MON. IT III 108 . * THERMAL TYPE :

- 11). Suitable for high freq applications.
- 12). capable to measure current which is of nonsinusoidal nature also.
 - (3). These instrict employs heating effect the flow of current through the ckt.

3 Types:

- (1). Hot wire instrig
- (2). Bolo meter.
- (3). Thermo couple instrig

HOT WIRE:

In this meter expansion of metal caused by flow of current through sensitive element. This element is prepared with metal having more value of coe. of expansion.

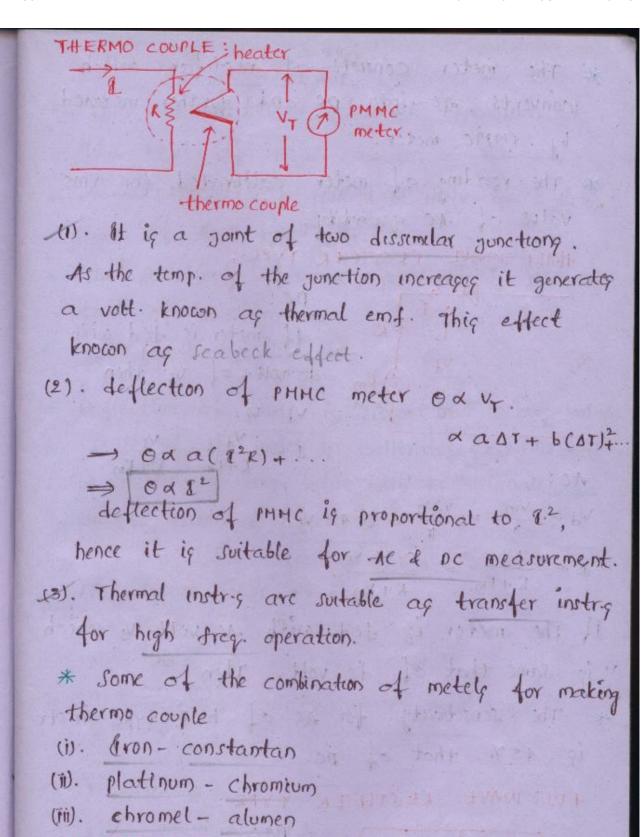
* The sensitive element is prepared by platinum irradium alloy.

BOLO METER :

In this instr. change in Resis. caused by heating effect of current employed for the evaluation of the current.

If the sensetive element with the temp ece. then its resistance increases with increment of temp.

It element having -ve temp. coe., it q resistance decreases with increment in temp.



(1). suitable for electronic measurements le lower

RECTIFIER TYPE :

(2). 2 types:

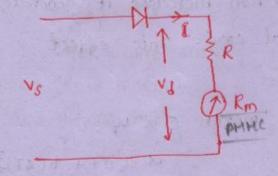
magnetude of voltice.

(a). Amplefeer-recifier type

(b). rectifier - Amplifier type

- * The meter consists of rectifier which converts Ae into De and further measured by PMMc meter.
- * The reading of meter calibrated for rms value of me quantity.

HALF WAVE RECTIFIER TYPE:



DC: I PRIM de volt of vs then

$$\mathcal{A} = \frac{V_d}{R + Rm} = \frac{V_s}{R + Rm}$$

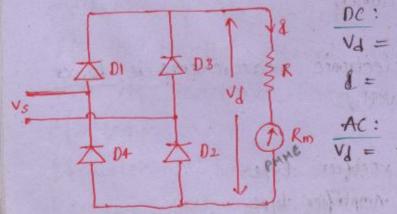
$$\frac{AC:}{V_d} = \frac{V_m}{W} = \frac{\sqrt{2} V_s}{W} = 0.45 V_s.$$

$$\frac{1}{R} = \frac{V_d}{R + R_m} = \frac{0.45 V_s}{R + R_m}.$$

If the meter is jed with me volt is which is same that of de volt. Then,

* The sensetivity for Ac of how type instr. is 45% that of De.

FULL WAVE RECTIFIER TYPE:



$$\frac{DC:}{Vd = V_S}$$

$$l = \frac{V_d}{R + R_m} = \frac{V_s}{R + R_m}$$

$$\frac{AC:}{V_d = \frac{2Vm}{R}} = \frac{2\sqrt{2}V_S}{R} = 0.9N_S$$

$$Q = \frac{Vd}{R + Rm} = \frac{0.9V_S}{R + Rm}$$

* The Ac sensetivity of for type instr. is 90% that of pc.

* Ac sensetivity of two type instr. is 2 times that of the type instr.

* The of sensetiverty of two type instr. is same as that of there instr.

* form factor = $\frac{RHS}{Average}$.

* Deflection of PHHC is proportional to any value

* : scale of the meter is calibrated for rms value by multiplying avg. value with FF. usually it will be taken as 1.11

for sinu soidal wave of = 1.11.

for square wave +f = 1.

2:1)

N = 100

d = 20 mm

1 = 30 mm

B = 0.1T

8 = 10 mA

kc = 2 x 10 N-m/deg.

Td = NBA. &

= 100 x 0.1 x 30 x 20 x 10 6 x 10 x 10 3

= 60 H Nm

NBA. $2 = k_c \theta$ \rightarrow Moving coil \Rightarrow $60 \times 10^6 = 2 \times 10 \times \theta \Rightarrow \theta = 30^\circ$.

2.2).
$$R = 10000 \Omega$$
 $A = 30 \times 30 \text{ mm}^2$
 $N = 100$
 $B = 0.08 \text{ wb/m}^2$
 $K_C = 3 \times 10^6 \text{ Nm/deg}$.

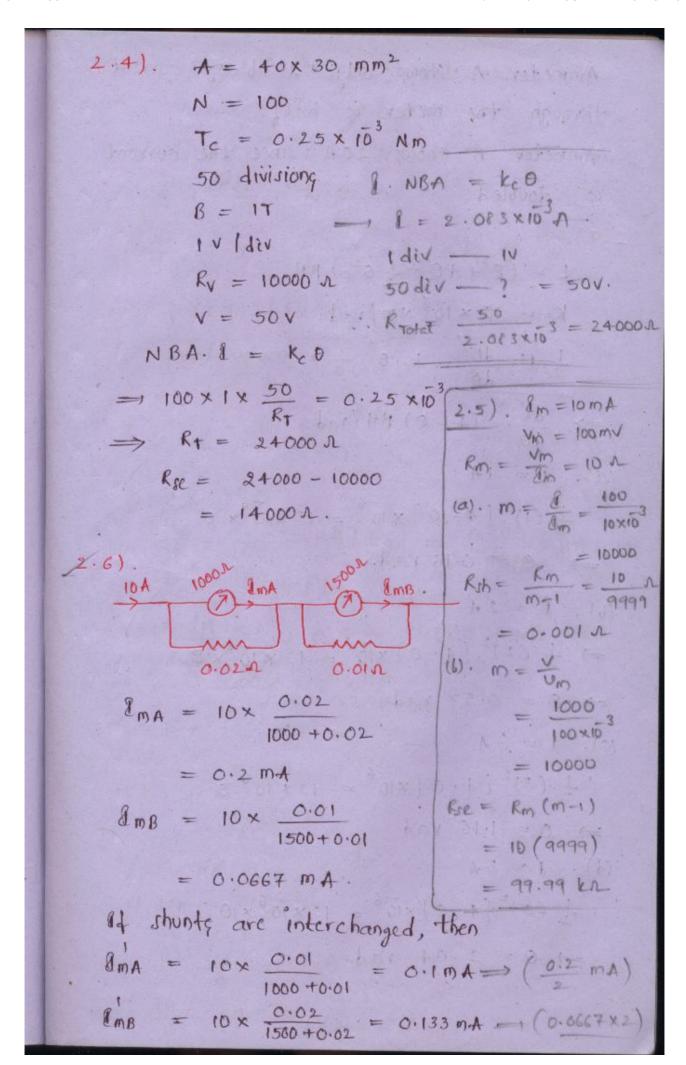
 $V = 200V$.

 $NBA \cdot \hat{A} = K_C \theta$
 $\Rightarrow 100 \times 0.08 \times 30 \times 30 \times 10^6 \times \left(\frac{200}{10000}\right) = 3 \times 10^6 \cdot \theta$
 $\Rightarrow 0 = 48^\circ$.

2.3). $R_m = 1 \Omega$
 $V = 250V$
 $R_{SC} = 4999 \Omega$
 $\hat{A}_m = \frac{250}{4999 \Omega} = 0.05 \Delta$.

(a). $R_{Sh} = \frac{1}{499} \Omega$; $\frac{1}{900} = 500$
 $R_{Sh} = \frac{1}{m-1}$ $\frac{1}{m-1} = \frac{1}{m-1}$
 $\Rightarrow m = 500$.

(b). $\hat{A} = 50 \Delta$
 $m = \frac{1}{4} = \frac{50}{0.05} = 1000$
 $R_{Sh} = \frac{R_m}{m-1} = \frac{1}{1000-1} = \frac{1}{999} \Omega$



Ammeter A shows only 5 A b'coo current through the meter is half

Ammeter B shows 20 A since the current

is doubled.

2.7).

$$L = (8 + 40 - \frac{1}{2}0^{2}) \mu H$$

$$k_{c} = 12 \times 10^{6} \text{ Nm/rad}.$$

$$\frac{1}{2} 1^{2} \cdot \frac{dL}{d0} = k_{c} \cdot 0 \implies \text{moving ideal}$$

$$\Rightarrow \frac{dL}{d\theta} = (4-0) \, HH / rad.$$

(a).
$$\int dt = 1A$$

$$\frac{1}{2}(1)^{2} [4-\theta] \times 10^{6} = 12 \times 10^{6} \times \theta$$

$$\Rightarrow \frac{1}{2}(2)^{2}[4-0]\times 10^{6} = 12\times 10^{6}\times 0$$

(b). & = 2A

$$\frac{1}{2}(3)^{2}[4-0]\times 10^{6} = 12\times 10^{6}.0$$

$$\frac{1}{2}(5)^{2}[4-0]\times \overline{10}^{6} = 12\times \overline{10}^{6}\times 0$$

2.8).
$$L = (0.01 + C0)^{2} \mu H$$
 $g_{1} = 1.5 A$; $O_{1} = 90$
 $g_{2} = 2 A$; $O_{2} = 120$.

 $\frac{1}{2} \frac{1}{2} \frac{dL}{d\theta} = k_{c}.\theta$
 $\frac{dL}{d\theta} = 2 C [0.01 + C0] \mu H / rad$.

 $\Rightarrow \frac{1}{2} (1.5)^{2} [2C (0.01 + C0)] = k_{c} \times 90^{\circ}$
 $\frac{1}{2} (2)^{2} [2C (0.01 + 120^{\circ}C)] = k_{c} \times 120^{\circ}$
 $\Rightarrow c = -47.6 \times 10^{6}$

2.9).

 $g_{1} = 25 A$
 $g_{2} = 4H / d\theta = 0.0035 \mu H / deg$.

 $g_{2} = 4H / d\theta = k_{c}.\theta$
 $g_{1} = 106 \times \theta$
 $g_{2} = 100^{\circ}$
 $g_{3} = 100 \times 100^{\circ}$
 $g_{4} = 100 \times 100^{\circ}$
 $g_{2} = 100^{\circ}$
 $g_{3} = 100 \times 100^{\circ}$
 $g_{4} = 100 \times 100^{\circ}$

$$M = 2 \mu H + \left(0.11 \times 10^{6} \times 110 \times \frac{\pi}{100}\right)$$

$$\Rightarrow H = 2.21 \mu H$$

$$V_{m} = 100 V$$

$$dM = \frac{100}{40} = \frac{100}{40}$$

$$(a) \cdot Hot wire: V_{or} = \frac{V_{m}}{2} = \frac{100}{2} = 50V$$

$$R = \frac{50}{10} = 5A$$

$$V_{0} = \frac{V_{m}}{\pi} = \frac{100}{\pi}$$

$$R = \frac{100}{\pi \times 10} = 3.183 A$$

$$V_{YMS} = \frac{V_{m}}{\sqrt{2}}$$

$$V_{0} = \frac{V_{m}}{\pi} = \frac{100}{\pi}$$

$$V_{0} = \frac{V_{m}}{\pi} = \frac{100}{\pi}$$

$$V_{0} = \frac{V_{m}}{\pi} = \frac{100}{\pi}$$

$$V_{0} = \frac{V_{0}}{\pi} = \frac{V_{0}}{\pi}$$

$$V_{0} = \frac{V_$$

2.14).
$$R_{m} = 250 \text{ A}$$
 A a time 2 diodeg are

 $R_{m} = 100 \text{ A}$
 $R_{0} = 50 \text{ A}$
 $R_{0} = 50 \text{ A}$
 $R_{0} = 25 \text{$

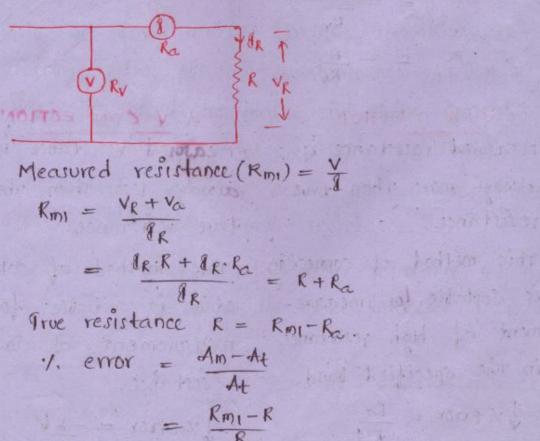
2.16)
$$V = 1000 \text{ V}$$
 $k_c = 10^{7} \text{ Nm} | 4eq$
 $\theta = 80^{6}$
 $c = 10 \text{ pf}$
 $\frac{1}{2} \text{ V}^{2} \frac{1}{d0} = k_c \theta \longrightarrow \text{ electro Static}$
 $\Rightarrow \frac{1}{2} (1000)^{2} \cdot \frac{1}{d0} = 10^{7} \times 80$
 $\Rightarrow \frac{1}{2} (1000)^{2} \cdot \frac{1}{d0} = 10^{7} \times 80$
 $\Rightarrow c = 10 + (-16 \times 80 \times \frac{17}{180})$
 $= 32.34 \text{ pf}$
 $V = 3000 \text{ V}$
 $k_c = 7.6 \times 10^{6} \text{ Nm} | \text{ rad}$
 $\theta = 80^{6} = 80 \times \frac{17}{180} \text{ yad} = 1.39 \text{ rad}$
 $\frac{1}{2} \text{ V}^{2} \cdot \frac{1}{40} = k_c \cdot 0$
 $\Rightarrow \frac{1}{2} (3000)^{2} \cdot \frac{1}{40} = 7.6 \times 10^{6} \times 80 \times \frac{17}{180}$
 $\Rightarrow \frac{1}{2} (3000)^{2} \cdot \frac{1}{20} = 7.6 \times 10^{6} \times 80 \times \frac{17}{180}$
 $\Rightarrow \frac{1}{2} (3000)^{2} \cdot \frac{1}{20} = 7.6 \times 10^{6} \times 80 \times \frac{17}{180}$
 $\Rightarrow \frac{1}{2} (3000)^{2} \cdot \frac{1}{20} = 7.6 \times 10^{6} \times 80 \times \frac{17}{180}$
 $\Rightarrow \frac{1}{2} (3000)^{2} \cdot \frac{1}{20} = 7.6 \times 10^{6} \times 80 \times \frac{17}{180}$
 $\Rightarrow \frac{1}{2} (3000)^{2} \cdot \frac{1}{20} = 7.07 \cdot 10^{2} \times 1.39$
 $= 3.29 \text{ pf}$

2.18). $\theta = 0$
 $\theta = 0$

* TUE. 18/11/08 * MEASUREMENT OF RESISTANCE RESISTANCES:

- (1). Low resistance: <11, below 11.
- (2). Hedium: Markovoviku in to 100 km
- * Hedium resistance can be measured by,
 - (1). Ammeter voltmeter method
- (2). Substitution method
- (3). Wheatstone bridge
- (4). Ohnmeter.

AMMETER - VOLTMETER METHOD:



$$Ra = \frac{1}{\frac{1}{R} + \frac{1}{RV}}$$

$$Ra = \frac{1}{\frac{1}{R} + \frac{1}{RV}}$$

$$=\frac{1}{R}\left[1+\frac{R}{R_V}\right]$$

$$\Rightarrow R_{m2} \left[1 + \frac{R}{R_V} \right] = R$$

$$= -\frac{Rm_2}{Rv}$$

TV-A METHOD

- * Heasured resistance is * Heasured resistance is always more than true always less than the resistance.
- is sortable for measure- ction is suitable for ment of high resistance measurement of low in the specified band.

$$\frac{1}{\sqrt{\epsilon}} = \frac{Ra}{Rt}$$

Ra
$$\begin{array}{c}
R_{R} \\
R_{R}
\end{array}$$

$$\begin{array}{c}
R_{R}
\end{array}$$

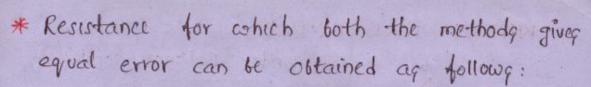
$$\Rightarrow R_{m2} \left[1 + \frac{R}{RV} \right] = R \Rightarrow R_{m2} - R = -\frac{R_{m2} \cdot R}{RV}$$

$$7. \text{ Error} = \frac{R_{m2} - R}{R} \qquad \frac{R_{m2} - R}{R} = -\frac{R_{m2} \cdot R}{RV}$$

CONNECTION

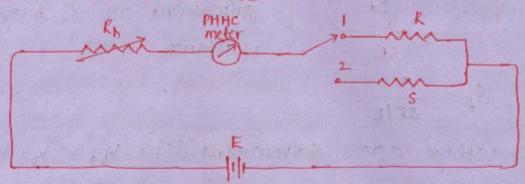
true resistance.

* This method of connection * This method of conneresistance



$$\frac{Ra}{R} = \frac{R}{Rv}$$
 If R high adopt v-A connection
$$\Rightarrow R = \sqrt{RaRv}$$
 If R is low $\rightarrow A-v$ connection

SUBSTITUTION METHOD:



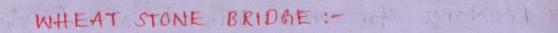
R- unknown

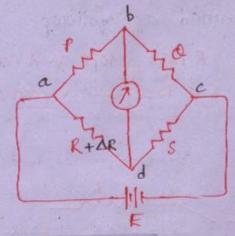
S - std known variable resistance

keep the switch in (1) pos. and vary the Rh till a finite current passing through Ammeter. Ehange the pos. of switch to (2) and then vary the known resistance till same current passing through meter. In this Rh should not be disturb. At this condi. unknown resistance is equal to the known resistance.

Let $G_1 = \bigoplus R$ Rheastat & meter resistance together $G_1 = Current$ through the meter whenever R is in circuit.

$$\frac{dr}{ds} = \frac{s+g}{R+g}$$





under Balance condition,

$$\frac{P}{Q} = \frac{K}{S}$$

* Bridge sensetively is the ratio of deflection of galvonometer to 1/2 change in resistance.

voltage across Galvonometer (e) = $V_{bd} = V_b - V_d$ = $\left(E - \frac{E}{P+Q}P\right) - \left(E - \frac{E}{R+\Delta R+S}(R+\Delta R)\right)$ = $E\left(\frac{R+\Delta R}{R+\Delta R+S} - \frac{P}{P+Q}\right)$

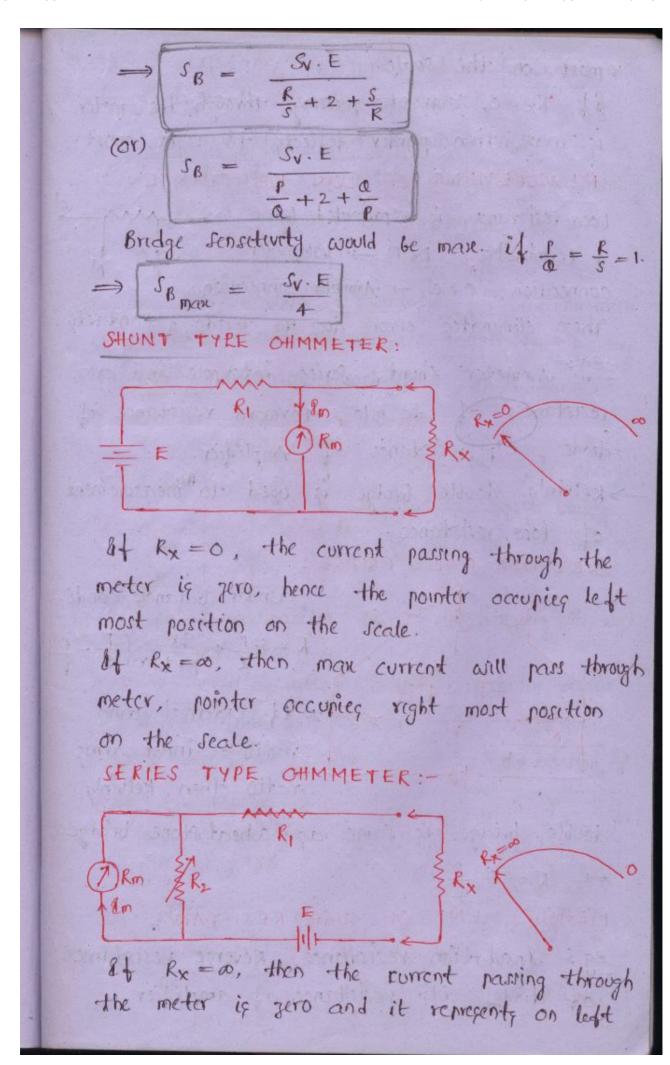
$$= \mathbb{E}\left[\frac{R + \Delta R}{R + \Delta R + S} - \frac{R}{R + S}\right]$$

$$e = E \left[\frac{R^2 + RS + R\Delta R + S\Delta R - R^2 + R\Delta R - RS}{(R+S)^2 + \Delta R (R+S)} \right]$$

$$= E\left(\frac{S \cdot \Delta R}{(R+S)^2}\right)$$

Let $SV = Sensetivity of Galvonometer = \frac{\theta}{e}$ $\theta = SV \cdot e = SV \cdot E \cdot S \cdot \Delta R$ $\frac{(R+S)^2}{(R+S)^2}$ $SB = \frac{\Theta}{\Delta R/R} = \frac{SV \cdot E \cdot S \cdot R}{(R+S)^2}$

$$S_B = S_V \cdot E \cdot \frac{RS}{R^2 + 2RS + S^2}$$



most on the scale.

84 Rx =0, current passing through the meter is more, then pointer deflects to right most.

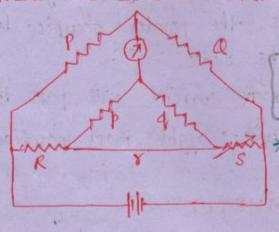
MEASUREMENT OF LOW RESISTANCE:

Low resistance is represented by 4 terminals, P&P' -> voltmeter connection, cd c' - Anmeter connection. These eliminates error due to leads & contacts.

eg: Ammeter shunt, series, interpole and arm. resistances of de mlc, forward resistance of diode, old resistance of Amplifier.

> kelvin'q double bridge is used to the measurement of low resistance.

KELVIN'S DOUBLE BRIDGE:



under balance condi.

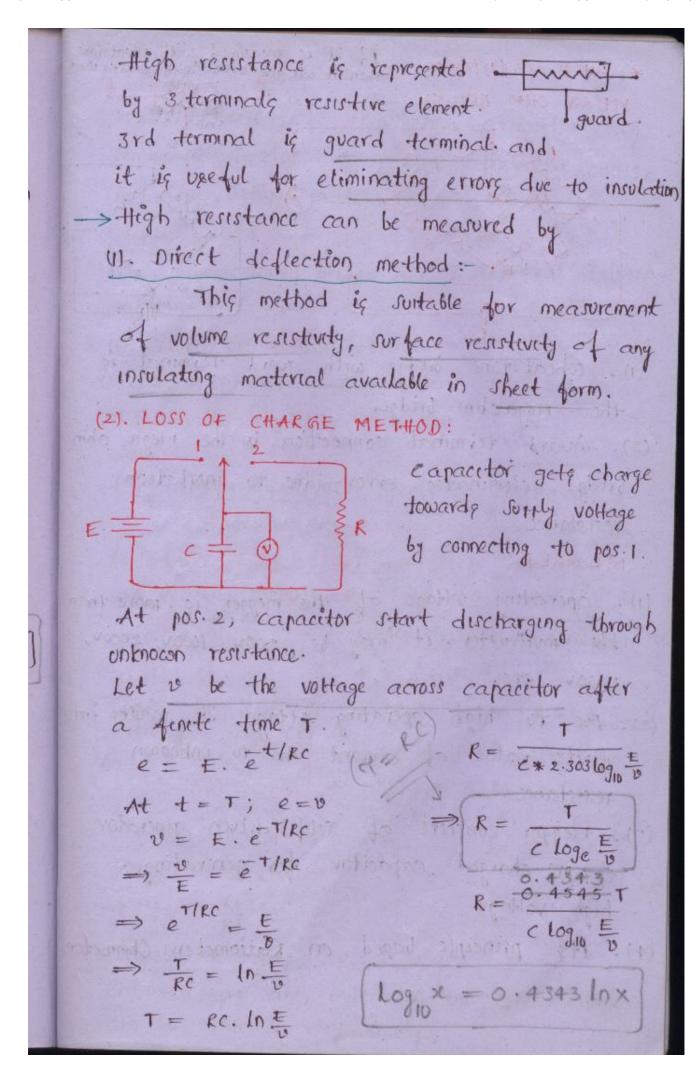
$$R = s \cdot \frac{P}{\alpha} + \frac{qr}{p+q+r} \left(\frac{P}{\alpha} - \frac{p}{q} \right)$$

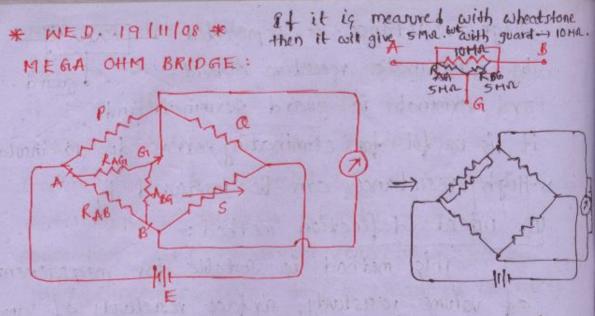
* If external arma ratio = inner arms ratio then kelving

double bridge is same as subsect stone bridge. => R=S. P.

MEASUREMENT OF HIGH RESISTANCE:

Eg: Insulation resistance, Reverge resistance of diode, ilp resistance of amplifier.





(1). Wheat stone bridge with guard terminal is the Megachm bridge.

(2). Guard terminal connection in the Mega ohm bridge eliminates error due to invilation resistance.

MEGGER

- (1). Operating voltage of the megger is more than the multimeter. It may be 5000, 10000, 20000, 5000V etc.
- (2). Due to high operating voltage it results into finite value of current due to unknown resistance.
- (3). Hegger consists of self driven generator of pre charged capacitor for generating high voltage
- (4). It's principle based on Ratiometer Obmmeter.

AC BRIDGES:

APPLICATIONS:

Measurement of indutance, capacitance, treq, e-factor, D-factor, dietectric const. of insulating materials.

DETECTORS:

En wheatstone bridge -> D'Arrenval Galvonometer.

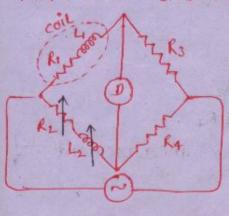
- W. Vibration Galvonometer
- (2). Head phones
- (3) . Tonable amplifier

SOURCES:

Power freq. Ac source, Electronic Oscillations

For low freq. For more freq.

Inductance Bridges -> [MAHIOM.] : MAXWELL'S INDUCTANCE BRIDGE:



Equating 8ma. parts $\omega L_1 R_4 = \omega_2 L_2 R_3$

$$\Rightarrow L_1 = \frac{R_3}{R_4} \cdot L_2$$

Variable quarties: R2, L2

Balanced eq.9 are ind. in nature hence balance can be achieved very easily

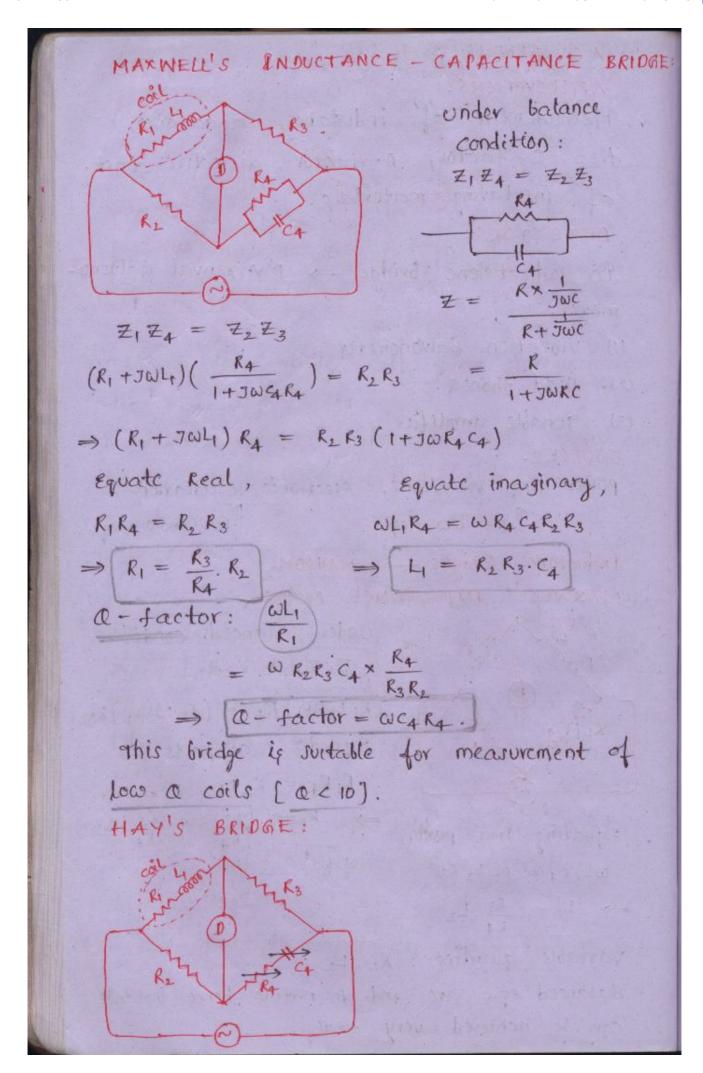
under balanced condi:

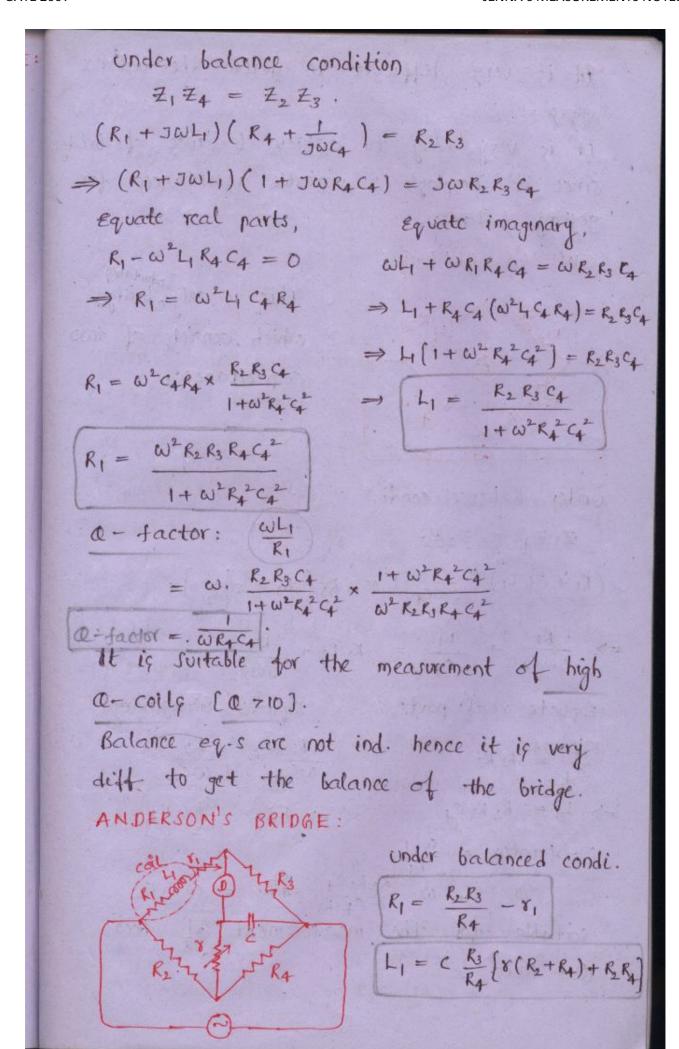
$$Z_1 Z_4 = Z_2 Z_3$$

 $[R_1+j\omega L_1]R_4 = [R_2+j\omega L_2]R_3$ Equate real parts,

$$R_1 R_4 = R_2 R_3$$

$$\Rightarrow R_1 = \frac{R_2 R_3}{R_4} = \frac{R_3}{R_4} \cdot R_2$$

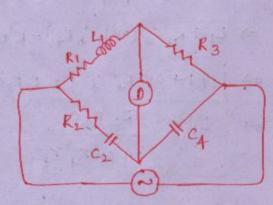




It is very difficult to derive the balance eq. \$

At is very easy to achieve balance of bridge since it employs 2 variable resistances for getting balance.

OWEN'S BRIDGE:



This is only bridge which consists of two capacitances.

under balance condi.

$$\left(R_1 + J\omega L_1 \right) \left(\frac{1}{J\omega C_4} \right) = R_3 \left[R_2 + \frac{1}{J\omega C_2} \right]$$

$$\Rightarrow \frac{R_1}{J\omega C_4} + \frac{L_1}{C_4} = R_2 R_3 + \frac{R_3}{J\omega C_2}$$

Equate real parts,

Equate imaginary,

$$\frac{L_1}{C_4} = R_2 R_3$$

$$\Rightarrow L_1 = R_2 R_3 C_4$$

$$\Rightarrow R_1 = \frac{C_4}{\omega C_2}$$

$$\Rightarrow R_1 = \frac{C_4}{C_2} R_3$$

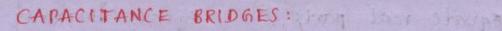
$$0 - 4 \arctan = \omega L_1$$

$$\frac{N}{\omega c_4} = \frac{N_3}{\omega c_2}$$

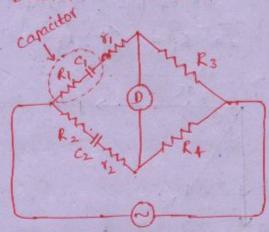
$$\Rightarrow \begin{bmatrix} R_1 = \frac{C_4}{C_2} & R_3 \end{bmatrix}$$

 $Q - factor = \frac{\omega L_1}{R_1}$ $= \omega \cdot \frac{R_2 R_3 C_4}{C_4 \cdot R_3} \frac{C_2}{\omega R_2 C_2}$ suitable for the measurement of low.

Q - coils.



DESAUTY'S BRIDGE:



under balance condition,

$$\left[R_1 + r_1 + \frac{1}{J\omega c_1} \right] R_4 = \left[R_2 + r_2 + \frac{1}{J\omega c_2} \right] R_3$$

Equate real pats, Equate imaginary,

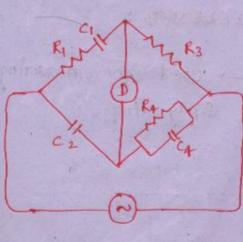
 $(R_1 + r_1) R_4 = (R_2 + r_2) R_3$ $\frac{R_4}{C_1} = \frac{R_3}{C_2}$

$$\Rightarrow R_1 = \frac{R_3}{R_4} (R_2 + r_2) - r_1 \qquad \Rightarrow c_1 = \frac{R_4}{R_3} \cdot c_2$$

$$\Rightarrow c_1 = \frac{R_4}{R_3} \cdot c_2$$

It is suitable for the measurement of practical capacitor.

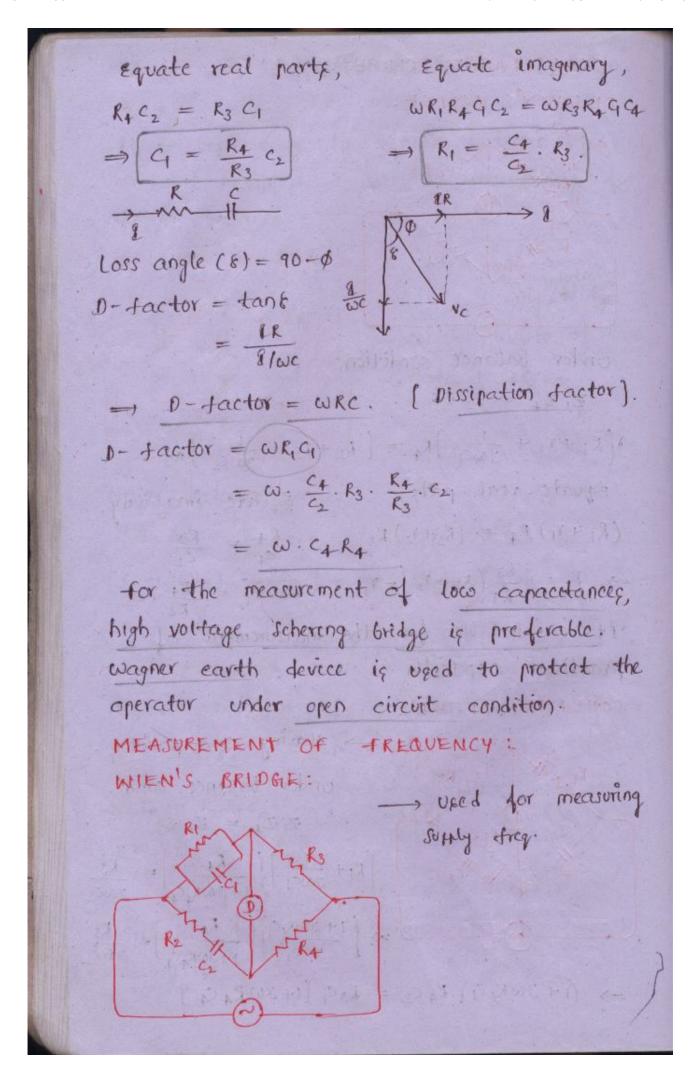
SCHERING BRIDGE



-> Having 3 capacitors. under balance condi.

$$\left[R_1 + \frac{1}{j\omega c_1}\right] \left[\frac{R_4}{1 + j\omega R_4 c_4}\right] = \frac{R_3}{j\omega c_2}$$

$$\Rightarrow \left[\frac{1+\Im WR_1C_1}{\Im GC_1}\right]\left(\frac{R_4}{1+\Im WR_1C_1}\right) = \frac{R_3}{\Im GC_2}$$



Under balance condition,

$$Z_1Z_4 = Z_2Z_3$$
 $\left\{\begin{array}{c} R_1 \\ \hline 1+J\omega R_1C_1 \end{array}\right\} R_4 = \left[\begin{array}{c} R_2 + \frac{1}{J\omega C_2} \right] \cdot R_3.$
 $\Rightarrow R_1R_4 \left(J\omega C_2 \right) = \left(1+J\omega R_2C_2 \right) R_3 \left(1+J\omega R_1C_1 \right)$

Equate real parts,

 $O = R_3 \left[1-\omega^2 R_1R_2C_1C_2 \right]$
 $\Rightarrow 1-\omega^2 R_1R_2C_1C_2 = 0.$
 $\Rightarrow \omega = \frac{1}{\sqrt{R_1R_2C_1C_2}}$ when $R_1=R_2=R$
 $\Rightarrow \omega = \frac{1}{\sqrt{R_1R_2C_1C_2}}$ when $R_1=R_2=R$
 $\Rightarrow \omega = \frac{1}{\sqrt{R_1R_2C_1C_2}}$ when $M_1=R_2=R$
 $\Rightarrow \omega = \frac{1}{\sqrt{R_1R_2C_1C_2}}$ when $M_2=R_1=R_2=R$
 $\Rightarrow \omega = \frac{1}{\sqrt{R_1R_2C_1C_2}}$ when $M_1=R_2=R$
 $\Rightarrow \omega = \frac{1}{\sqrt{R_1R_2C_1C_2}}$ when $M_1=R_1=R$
 $\Rightarrow \omega = \frac{1}{\sqrt{R_1R_2C_1C_2}}$ w

(b).
$$R = \frac{20}{0.1} = 200 \, \text{L}$$

$$R = \sqrt{R} \times \sqrt{R$$

$$R_{m} = 200 || [400 + 400]$$

$$= 160 + 100$$

$$= \frac{A_{m} - A_{t}}{A_{t}} \times 100$$

$$= \frac{160 - 200}{200} \times 100$$

$$= -20'.$$
3.6).
$$C = 6 \times 10^{4} \text{ Hf}$$

$$E = 250 \text{ V}$$

$$V = 92 \text{ V}$$

$$t = 60 \text{ scc}$$

$$R = \frac{C_{t}}{C \cdot \log_{e}(\frac{E}{U})} = \frac{60}{6 \times 10^{4} \times 10^{6} \ln\left[\frac{250}{92}\right]}$$

$$= 1,00,000 \text{ Ha}$$

$$C_{t} = \frac{C_{t}}{R_{3}} \times C_{2}$$

$$= \frac{1000 \text{ fm}}{R_{3}} \times C_{2}$$

$$= \frac{0.5 \times 10}{106 \times 10^{12}} \times 260$$

$$= 1.29 \text{ pf}$$

$$Pf = \cos \varphi = \frac{R}{Z}$$

$$\chi_{c} = \frac{1}{\omega c} = \frac{1}{2\pi x 50 x 129 x 10^{12}} = 24.6 \text{ m.n.}$$

$$\tan \varphi = \frac{\chi_{c}}{R}$$

$$= \frac{24.6}{1.21} \Rightarrow \emptyset = 87.16^{\circ}$$

$$Pf = \cos (87.16)$$

$$= 0.05$$

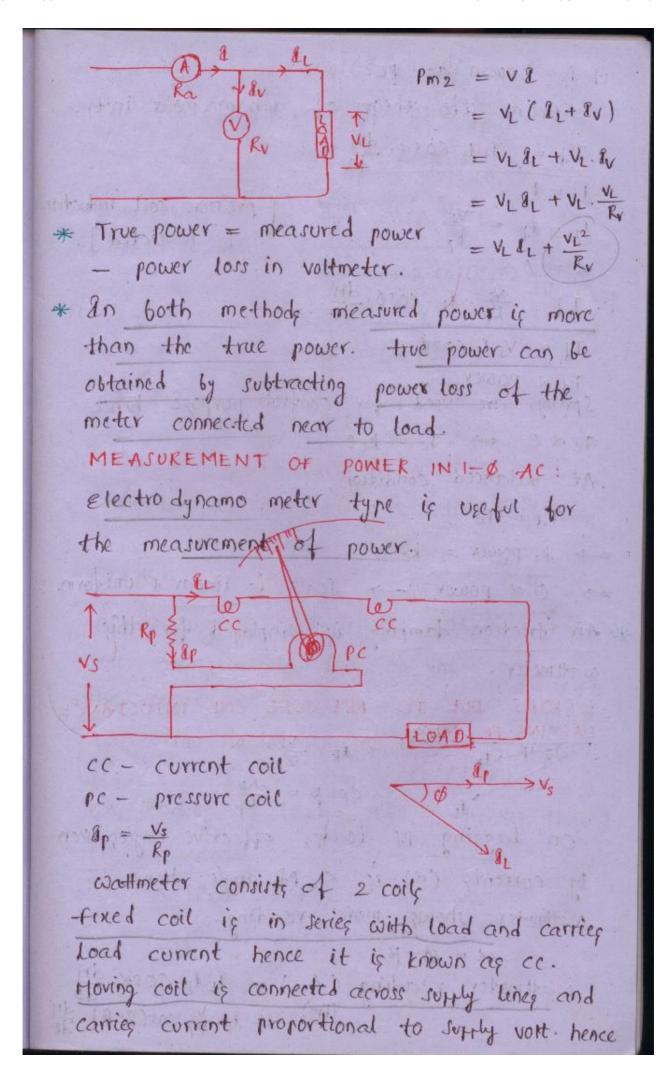
$$C = \frac{\varepsilon A}{d}$$

$$\Rightarrow 129 \times 10^{12} = 8.85 \times 10 \times \varepsilon_{r} \times \frac{\pi (0.12)^{2}}{4}$$

$$\Rightarrow 6r = 5.8$$

$$\Rightarrow \text{MEASUREMENT OF POWER IN DC CIRCUIT:}$$

$$\text{MEASUREMENT OF POWER$$



it is known as pc. from the theory of dynamo meter instr. Td = 8182 COSX. dH 1 21 = le $d_2 = dp = \frac{v_s}{R_p}$ [pressure cost inductance is neglected]. . Ttd = Ve Ro Re cosp. dn Springs are used for control purpose, hence TORO => to = KO. At balanced condition, Td = Tc -> [0 × power] -> seale is linear 4 uniform. * Air friction damping is employed for this wattmeter. ERRORS DUE TO PRESSURE COIL INDUCTANCE: LAGGING PF LOADS: V_S $I_P = \frac{V_S}{Z_P}$ $Cos p = \frac{R_P}{Z_P}$ All active angles is on lagging of loads, effective angles seen by currents (a) is < rf angle hence wattmeter shows more reading wattmeter reading (Am) = 81 8p cosx, $\frac{dH}{d\theta}$ (Pm) = $\frac{V_S}{Z_P} \cos(\beta - \beta) \cdot \frac{dH}{d\theta}$

amount of To is very less which may not be able to dedlect the moving system.

-> The following modefications are suggested in Low pt watereter.

(1). Reduce the resistance value connected in series with pc (Rp1. Due to this Td magnitude can be increased.

(2). By applying (employing) small control torque.

Hall effect multiplier is useful to generate an electrical signal (hall vott.) (v4) × to power consumption in the circuit. — for Automatic)

VAI & KA Bift | Con whete t = thickness of element

B & voltage

VH & Vs. iL

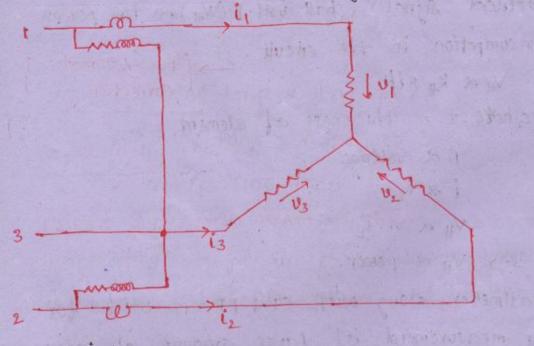
-> VH & power.

watereter along with crapt is used for the measurement of large amount of power circuits.

MEASUREMENT OF POWER IN POLY PHASE CIRCUITS:

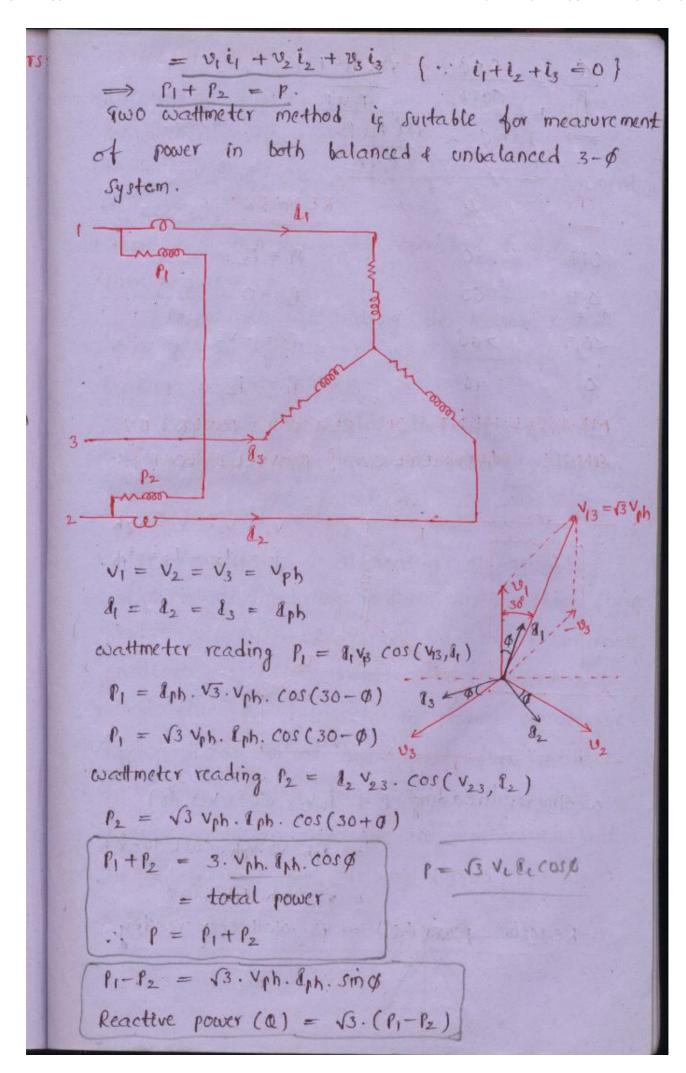
Blonder's theorem is 'useful in to decide the no. of wattmeters to be connected in the measurement of power of polyphase circuit. THEOREM:

If a now is supplied through in conductors, the total power is measured by summing the readings of in waltmeters so arranged that current element of waltmeter is in hear line and corr. voltage element is connected to that that line and a common point, if the common point is located on one of the line then the power may be measured by 'n-i' waltmeters.



 $P_1 \propto i_1 V_{13}$ $\propto i_1 (V_1 - V_3)$ $P_2 \propto i_2 V_{23}$ $\propto i_2 (V_2 - V_3)$ $P_1 + P_2 = i_1 (V_1 - V_3) + i_2 (v_2 - v_3)$

 $P_1 + P_2 = i_1 (v_1 - v_3) + i_2 (v_2 - v_3)$ $= i_1 v_1 + i_2 v_2 - v_3 (i_1 + i_2)$



$$\frac{\alpha}{P} = \frac{\sin \alpha}{\cos \beta} = \frac{\sqrt{3}(P_1 - P_2)}{P_1 + P_2}$$

$$= \frac{\sqrt{3}(P_1 - P$$

MEASUREMENT OF ENERGY:

-> Integrating type instr-9 are useful for the measurement of energy.

Motor meters are useful for the measurement of energy.

There are two types of operating torques:

Driving torque:-

Responsible for driving the moving system.
[Al disc].

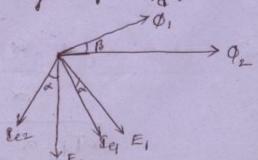
Braking torque:-

Responsible to control the disc movement and make it proportional to power consumption in case of energy meter.

THEORY OF INDUCTION

It consists of 2 alternating fluxes linking with common conducting media (dire), these fluxes produces 2 empts (eddy empts), which internally exculates 2 eddy currents. First current of a second flux of interact to produce one torque The, second current and first flux interact to produce another torque The produce another torque The produce another torque The produce resultant torque acts in opposition to produce resultant torque known as driving torque Td.

 $e_1 \propto \frac{d\psi_1}{dt}$ $e_1 \propto \frac{d\phi_1}{dt}$ $\phi_1 = \phi_{m_1} \sin \omega t$



$$\phi_{2} = \phi_{m_{2}} \sin(\omega t - \beta)$$

$$\Rightarrow e_{1} \times \phi_{m_{1}} \omega \cdot \sin(\omega t)$$

$$E_{1} \times \phi_{m_{2}} \omega \cdot \cos(\omega t + \beta)$$

$$E_{1} \times \phi_{m_{1}} \omega \cdot \sin(\omega t)$$

$$\Rightarrow \phi_{1} \cdot 2\pi f$$

$$\Rightarrow \phi_{1} \cdot 2\pi f$$

$$\Rightarrow \phi_{2} \cdot 2\pi f$$

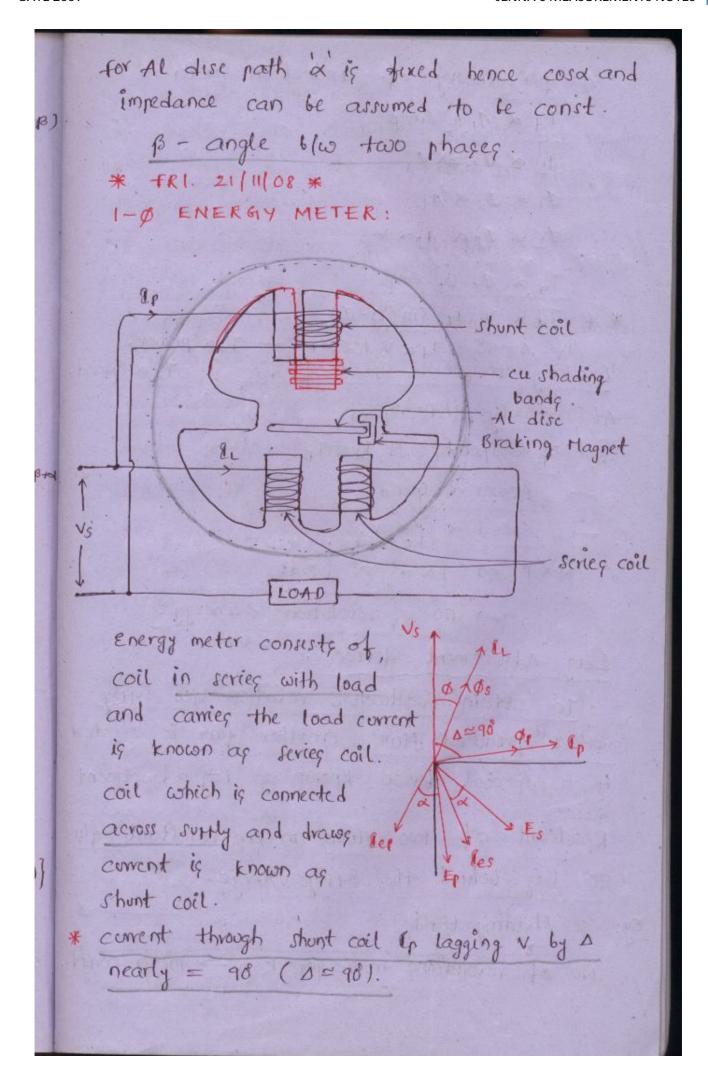
$$\Rightarrow \phi_{1} \cdot 2\pi f$$

$$\Rightarrow \phi_{2} \cdot 4\pi f$$

$$\Rightarrow \phi_{1} \cdot 4\pi f$$

$$\Rightarrow \phi_{2} \cdot 4\pi f$$

$$\Rightarrow \phi_{1} \cdot$$



```
As per theory of Enduction meter
       Td & p.o. sin B.
      8, x d . = p,
       De po a And Vs.
     Td & Os. Op. sings
  * * Td & Vs. 82 Sin (A-0)
  8+ D=90; Td x Vs R COSP. - Td x power.
Braking torque & Speed of dise ie Td x Speed.
  At steady state speed,
  TB & Speed ; Td = TB
    >> power & speed.
    - speed & power.
.. Nap =) Indt a Indt
           => Too of revolutions & energy
   Lag Adjustment devices :-
     To obtain quadrature relation ble supply
  voit & it's produced flux, another flux is created
   by a special device known ap lag adjustment
   device.
   Resultant of two fluxes makes, resultant flux
   90° lag behind the supply voltage. 15
Eg: cu shading banda
    No. of revolutions made per kwh -> meter const.
```

CREEPING:

Some times energy meter shows more reading under low load conditions. Record some reading under NL condi. This is known as creeping.

- -> creeping is due to,
 - (1). Over compensation for friction
 - (2). Over voltage
- -> Creeping can overcome by drilling to diametrically oppor holes on Al disc.
- -> testing of EM is carried out by indirect loading metho Phantom of ficticious loading.

$$= 250 \times 4 \times 1 = 1000 \omega$$

$$7. \text{ Error} = \frac{8}{1000} \times 100$$

ροωεν loss =
$$\frac{V^2}{kp}$$

in pc

= $\frac{2.50^2}{12.500} = 560$.

// εrror = $\frac{5}{1000} \times 100$

= 0.57 /.

(a). $\beta = \cos^{\frac{1}{2}}(0.6)$ tan $\beta = \frac{\times p}{kp}$

= 36.86° = 0.01

// εrror = tan β tan β × 100

= 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 = 1.8700 // εrror = 1.8

*
$$\frac{1}{2\pi} \int_{0}^{2\pi} A \sin(m\omega t + \alpha) \cdot B \sin(n\omega t + \beta) d(\omega t) = 0.$$

* $\frac{1}{2\pi} \int_{0}^{2\pi} A \cdot \sin(m\omega t + \alpha) \cdot B \cdot \cos(n\omega t + \beta) d(\omega t) = 0.$

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* $\frac{1}{$

tan
$$\phi = \sqrt{3}(f_1 - f_2)$$
 $f_1 + f_2$
 \Rightarrow tan $GG. A = \sqrt{3}(f_1 - f_2)$
 \Rightarrow tan $GG. A = \sqrt{3}(f_1 - f_2)$
 \Rightarrow $f_1 - f_2 = 39.68 kw$
 $f_1 + f_2 = 30 kw$.

 \Rightarrow $f_1 = 34.84 kw$
 $f_2 = -4.84 kw$:

14.6). $V_1 = 400 V$
 $f_1 = 30 A$.

 $f_2 = 30 A$.

 $f_3 = 30 A$.

 $f_1 = 30 A$.

 $f_1 = 30 A$.

 $f_2 = 30 A$.

 $f_3 = 30 A$.

 $f_1 = 30 A$.

 $f_2 = 30 A$.

 $f_3 = 30 A$.

 $f_1 = 30 A$.

 $f_1 = 30 A$.

 $f_2 = 30 A$.

 $f_3 = 30 A$.

 $f_1 = 30 A$.

 $f_1 = 30 A$.

 $f_2 = 30 A$.

 $f_3 = 30 A$.

 $f_4 = 30 A$.

 $f_1 = 30 A$.

 $f_1 = 30 A$.

 $f_1 = 30 A$.

 $f_2 = 30 A$.

 $f_3 = 30 A$.

 $f_4 = 30 A$.

 $f_1 = 30 A$.

 $f_1 = 30 A$.

 $f_2 = 30 A$.

 $f_3 = 30 A$.

 $f_4 = 30 A$.

 $f_1 = 30 A$.

 $f_1 = 30 A$.

 $f_2 = 30 A$.

 $f_3 = 30 A$.

 $f_4 =$

$$Z_{p} = R_{p} + J\omega \left(L - Y^{2}C\right)$$

$$\Rightarrow Z_{p} = R_{p} \quad \text{if} \quad L = Y^{2}C$$

$$\Rightarrow C = \frac{L}{8^{2}}.$$

$$R_{s} = 10000 \text{ A} \quad \text{Series resistance in}$$

$$R_{p} = 400 \text{ A}. \quad \text{the pressure coil circoit}.$$

$$C = \frac{L}{Y^{2}}$$

$$\Rightarrow 20 \times 10^{12} = \frac{L}{(10000)^{2}}$$

$$\Rightarrow L = 2 \text{ mH}.$$

$$4.8).$$

$$4.9).$$

$$L_{p} = 8 \text{ mH}$$

$$R = 2000 \text{ A}$$

$$\phi = 84^{\circ}$$

$$f = 50 \text{ Hz}.$$

$$\times p = 2\pi f \cdot L_{p}$$

$$= 2\pi \times 50 \times 8 \times 10^{3}$$

$$= 2.513 \text{ A}$$

$$\% \text{ Error} = \tan \theta \cdot \tan \theta \cdot \times 100$$

$$\tan \beta = \frac{\times p}{R_{p}} = \frac{2.513}{2.000} = 0.00125$$

$$\% \text{ Error} = \tan 89 \times 0.00125 \times 100$$

$$= 7.19\%$$

$$4.10). \quad A_{m} = 250 \omega = P_{m}$$

$$V = 2000 \text{ A}$$

$$R_{p} = 2000 \text{ A}$$

9rue power =
$$\frac{100}{\text{measured power}}$$
 - power loss in voltage coil.

= $250 - \frac{200^{\circ}}{2000}$

Let fig taken for the meter constant. power = $220 \times 5 = 1100 \text{ in}$.

Let fig taken for the energy consumption = $\frac{1100}{1000} \times 1 = 1.1 \text{ kWh}$

No. of revolutions = $3275 \times 1.1 = 3602.5 \text{ rev.}$

Speed = $\frac{3602.5}{3600} \approx 1 \text{ rps.}$

Let fig taken for the nearly energy = $\frac{200.5}{3600} \approx 1 \text{ rps.}$

Let fig taken for the nearly energy = $\frac{200.5}{3600} \approx 1.1 \text{ rps.}$

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Let fig taken for the nearly energy = $\frac{200.5}{3600} \approx 1.1$

Energy =
$$\frac{230 \times 50}{1000} \times \frac{37}{3600}$$

= 0.11819 ω
No. of revolutions = 0.11819 $\times 520$
to be made = 61.4.
4. Error = $\frac{61-61.4}{61.4} \times 100 = 0.65\%$. Slow.
5-3). $V = 250V$
 $\ell = 15A$
 $t = 5 \text{ hr.s}$
 $\ell = 1$.
Reading = $8253.13 - 8234.21$
= 18.92 kwh
Energy = $\frac{250 \times 15}{1000} \times 5 = 18.75 \text{ kwh}$
4. Error = $\frac{18.92 - 18.75}{15.75} \times 100$
= 0.9% high
Revolutions = 290
 $t = 5 \text{ min}$
 $\ell = 20A$
 $V = 250V$
 $\ell = 0.87$
Energy = $\frac{250 \times 20 \times 0.87}{1000} \times \frac{5}{60}$
= 0.3625 kwh
meter constant = $\frac{290}{0.3625} \times 900$

5.4).
$$\Delta = 87^{\circ}$$

fl, opf \Longrightarrow N = 40

 V_{4} fl, 0.5 pf lagging

 $T_{4} \propto V_{5} l_{1} \sin(\Delta - \sigma)$
 $T_{6} \propto N$
 $N \propto V_{5} l_{1} \sin(\Delta - \sigma)$
 $I_{1} = l$
 $I_{2} = l_{14}$
 $I_{3} = l$
 $I_{4} = l_{14}$
 $I_{5} = l_{14}$
 $I_{1} = l_{14}$
 $I_{1} = l_{14}$
 $I_{2} = l_{14}$
 $I_{3} = l_{14}$
 $I_{4} = l_{14}$
 $I_{5} = l_{14}$
 $I_{1} = l_{14}$
 $I_{1} = l_{14}$
 $I_{2} = l_{14}$
 $I_{3} = l_{14}$
 $I_{4} = l_{14}$
 $I_{5} = l_{14}$
 I_{5}

% Error = $0.113 N_1 - 0.125 N_1 \times 100$

= 9% slow

MEASUREMENT OF FREQUENCY:

Freq. Meters:

- (1). Mech. resonance
- (2). Electrical resonance
- (3). Weston type
- (4). Ratio meter type
- (5). Saturable core type.

MECHANICAL RESONANCE TYPE :

Operating principle is based on mech. resonance. It mainly consists of thin steel trips (reeds)

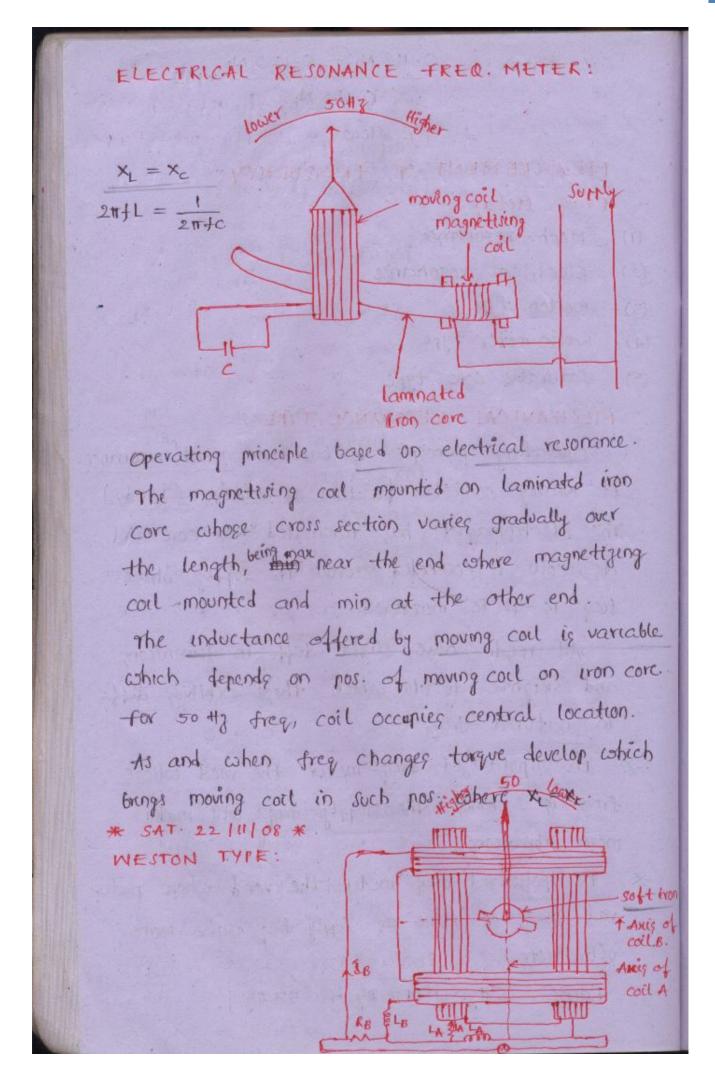
The electromagnet has laminated iron core and its coil is connected across the supply whose freq-is to be measured.

All reeds have slight diff in dimensions and weights due to which these exhibits diff in natural trees

- * In unpolarized freq. meter the reed whose .

 freq. is 2 times the suffy freq. will make
 more vibrations.
- * In polarized treq. meter the reed whose natural freq is same as supply freq make more vibrations.

Range: 647 [47 47 to 53 48].



The meter consists of 2 coils mounted 1er to each other. Each coil is divided into 2 parts. coil of is connected in series with Resistance RA and cohole setup placed across LA.

coil B is connected in series with inductance and whole connected arrangement placed across LB.

for a normal dreg, pointer takes vertical -pos. As n when dreg varies there will be diff in the magnitudes of through coils based mag of i pointer takes up new pos. This indicates present value of dreg.

RATIOMETER TYPE:

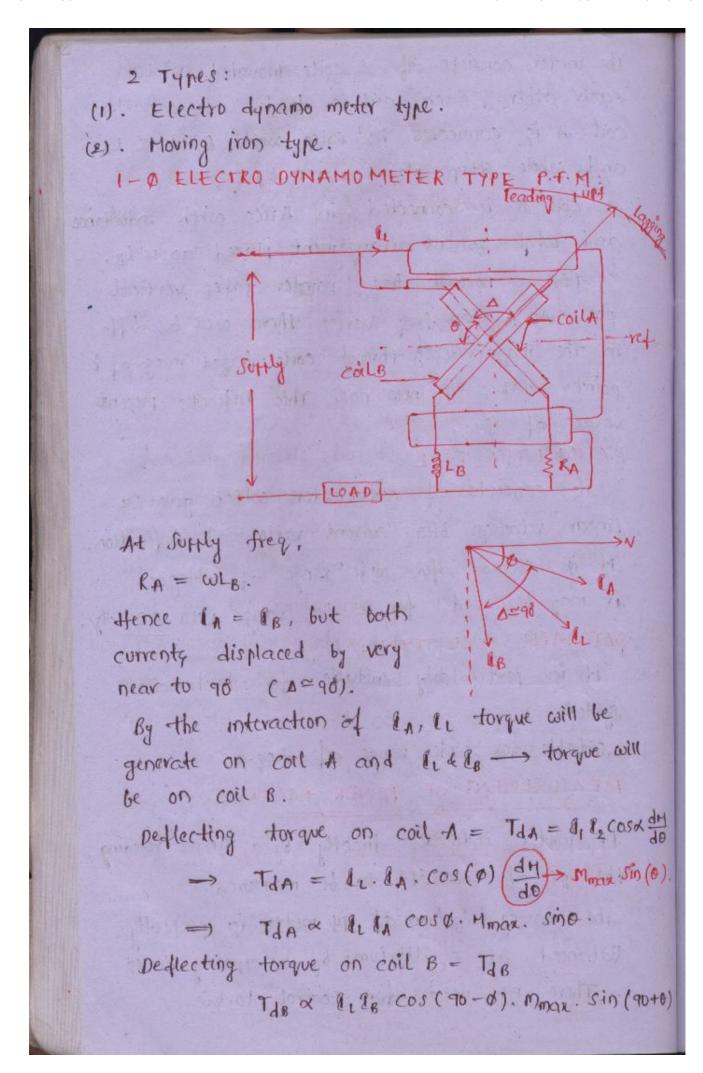
It consists of ratio meter which gives a linear relation blue current ratio and deflection. It is suitable for wide range of voltages. It may be used for a trey range upto 5000 Hz. SATURABLE CORE TYPE:

It is perticularly suitable for tachometer system.

suitable for wide range of freq. F.
MEASUREMENT OF POWER FACTOR:

of meter indicates directly by a single reading, the pf of the ckt to be measured.

There no need for control torque.



At final deflection state, $T_{dA} = T_{dB}$

 \Rightarrow cos ϕ . sin θ = sin ϕ . cos θ .

This eq. is satisfied when $\theta = \phi$.

At final deflection state, deflecting angle

= power factor angle of the ckt.

for measurement of pf, in 3-p balanced load, same construction is surtable, but the angle blow their planes is 120. Fixed coil has to be connected in one line and 2 moving coils are connected across this line and other 2 lines individually.

for 3-0 unbalanced load pf measurement a 2 element pf meter is to be used.

MOVING IRON P.F.M:

- (1). There are 2 types of Hoving iron of meters.
- (a). Rotating field 1.f.M.

Adv:

- (b). Alternating field P.F.H. [Nalder Lip mann type] In this meter also at steady state condito=0. The deflection of iron beam is direct measure of ph. angle 6100 each, line element and corr. ph. voltage
- (1). The working forces are very large as compared with those electrodynamo meter type.
- (2). All the coils in He are fixed.

DIS : Adv : I state animal to dente

- 11) . errors are introduced due to losses in iron parts.
- (2). Calibration of these instry is effected variations in suffly freq, volt & wave form.

POTENTIOMETERS

at is an instr. designed to measure an unknown volt. by comparing it with a known volt. This method is very accurate if volt of ret source is accurately known.

No current flows under balance condi, hence no power consumption during measurement.

netermination of volt. by a notentiometer is ind. of

source resistance.

Amlications:

calibration of Ammeter, volt meter, measurement of conent a voltage etc.

BASIC POTENTIOMETER CIRCUIT:

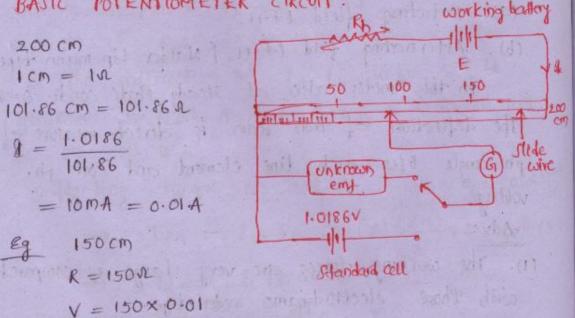
1 cm = 102

101.86 cm = 101.86 sc

= 1.0186

= 10MA = 0.01A

150 cm

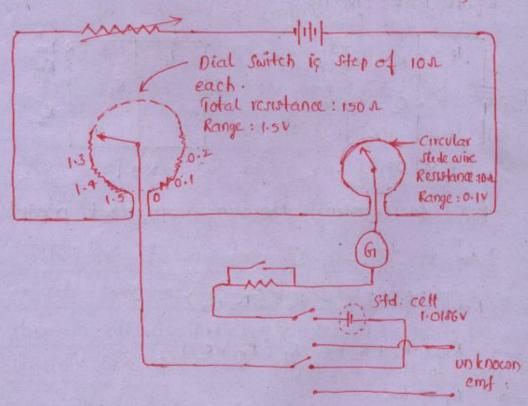


potentiometer is required to be standardized before making measurement by a std. cell.

Keep the pos. of studer at 101.86 cm and switch at standardaized pos. Adjust until '6' shows zero reading. while measuring unknown volt. slider if to be varied for its pos. till 6 shows zero reading.

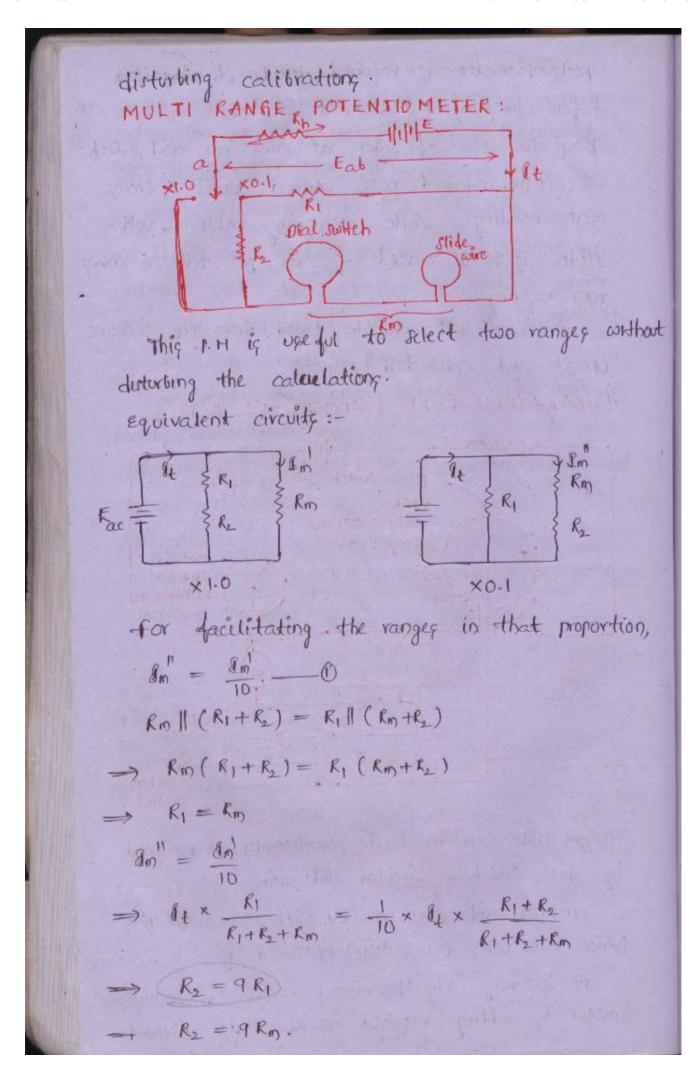
unknown volt can be found from the balance length and calibrated current.

LABORATORY TYPE [CROMPTON'S P. M.]



straight stide wire in basic potentiometer is peplaced by deal switch a circular stide wire.

circular slide wire provided with 200 cm divisions hence min. volt. (resolution) measured is o.1 = 0.5 mv lt is very easy to extend range of potentioneter by adding required no. of deals without



All the resistors in potentiometer are made up of MANGANIN (expect slide wire).

Slide wive is made up of from platinum Silver alloy

sliding contact -> cu-gold-silver alloy. There are 2 types of potentiometers:

(1) . Vernier p.M.

(2). Brook's deflectional PM.

Brook's d. P.H is used for amlications where volt to be measured is continuously changed.

AC POTENTIOMETER:

ent and PM drop have to be made equal to obtain balance, but in AC PM both mag & ph. have to be made to balance.

The freq & wave form in the PM ckt must exactly same aq that of volt being measured. Thus in all ac PM's the PM ckt must be suffied from the same source as volt of current being measured.

A vibrational galvonometer is used as detector. standardaization of ac nuls can be done with the help of std oc source a transfer instr. 2 types of AC PH's:

(1). polar type pm:-

In these instr. the mag of unknown voltage

is read from one scale and ph. angle w.r.t some ret phasor from a 2nd scale.

(2). co-ordinate type: [Gall - Tinslay PH]. These instr-s are provided with 2 scales to read res.ly in phase comp & quadrature component of unknown voltage

84 higher voltages are to be measured a precision volt divider called vott-ratio box."

(a). Emf of cell =
$$\frac{1.0185}{50} \times 72$$

= 1.467 V .

(b).
$$Am = 1.33 \text{ V}$$

$$L = 64.5$$

$$At = \frac{1.0185 \times 64.5}{50} = 1.314 \text{ V}$$

$$C. \text{ Error} = 1.33 - 1.314 \times 100$$

(c).
$$A_m = 0.43 A$$

 $voltage = \frac{1.0185}{50} \times 43.2$
 $= 0.8862 V$

$$A4 = \frac{0.8802}{2} = 0.4401A$$

$$1.8 \text{ error} = \frac{0.43 - 0.4401}{0.4401} \times 100$$

6.6). $P \to 1V$ $R_V = 10000 \times 5 = 50000 \text{ A.}$

with The connection of voltmeter, volt has become half hence the resultant resistance is also half. It is possible only if resistance of meter = internal ckt resistance.

· : Resistance of ext = 50,000 1.

- * INSTRUMENTATION TRANSFORMERS *

These + 1+14 are used in conjuction with meters for the measurement of high current & high voltage.

2 Types:

(1). current +/+:

It will sealed down the correct.

(2) potential T/j:

Bt will scaled down the voltage.

Transformation ratio: (R)

Ratio of primary phasor to secondary phasor.

$$R = \frac{dp}{ds} \Big|_{CT} \qquad R = \frac{v_p}{v_s} \Big|_{PT}$$

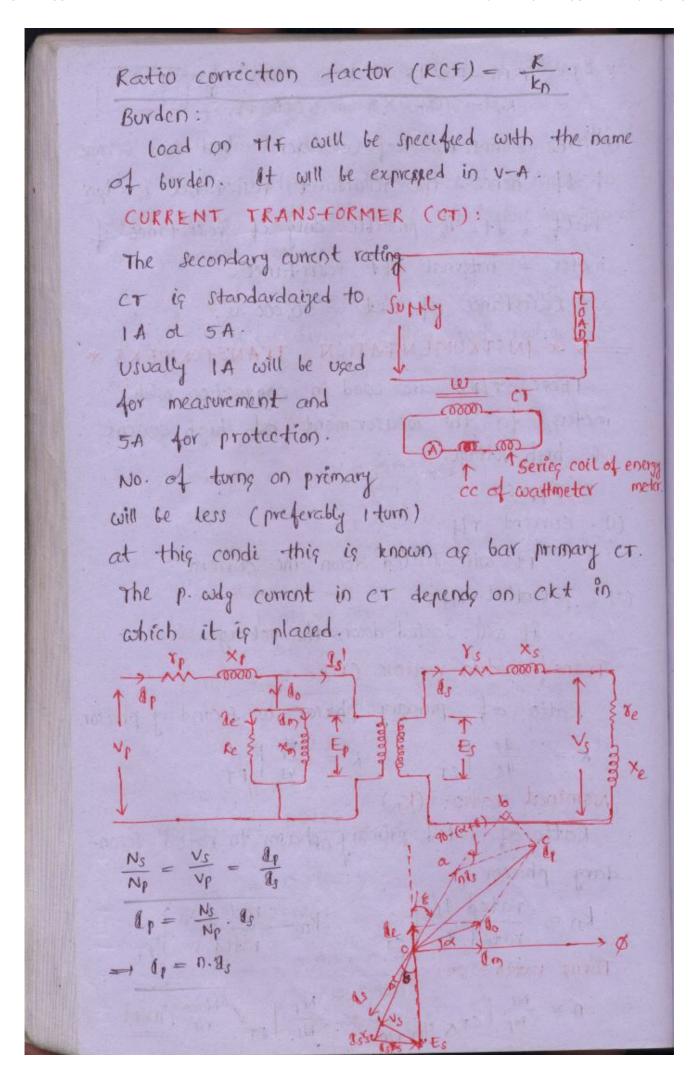
Nominal ratio: (kn)

Ratio of rated primary phasor to rated secondary phasor.

$$k_n = \frac{\text{rated lp}}{\text{rated ls}}$$
 | cr $k_n = \frac{\text{rated vp}}{\text{rated vs}}$ | pr

Turng ratio: (n)

 $n = \frac{N_S}{N_P} \left| CT \times S \right|_{PT} D = \frac{N_P}{N_S} \left|_{PT} 2^{S | 4000} (N > 1)$



from the phasor diagram,
$$l_{1}^{2} = (0b)^{2} + (bc)^{2}$$

= $l_{1}^{2} = (0a + ab)^{2} + bc^{2}$

= $(nl_{1}^{2} + l_{0} \cos [90 - (x + 6)])^{2} + [l_{0} \sin (90 - (x + 6)])^{2} + [l_{0} \cos (x + 6)]^{2}$

= $(nl_{1}^{2} + l_{0} \sin (x + 6))^{2} + (l_{0} \cos (x + 6))^{2}$

= $n^{2} l_{1}^{2} + 2 l_{0} nl_{3} \sin (x + 6) + l_{0}^{2}$
 $\approx n^{2} l_{1}^{2} + 2 l_{0} nl_{3} \sin (x + 6) + l_{0}^{2}$
 $\approx n^{2} l_{3}^{2} + 2 l_{0} nl_{3} \sin (x + 6) + l_{0}^{2}$
 $\approx n^{2} l_{3}^{2} + 2 l_{0} nl_{3} \sin (x + 6) + l_{0}^{2} \sin^{2}(x + 6)$
 $l_{1}^{2} \approx n l_{3}^{2} + l_{0} \sin (x + 6) + l_{0}^{2} \sin^{2}(x + 6)$

Frans formation Ratio $(R) = \frac{l_{1}^{2}}{l_{3}^{2}}$
 $= n l_{1}^{2} + l_{0} \sin (x + 6)$
 $= l_{0}^{2} \sin (90 - (x + 6))$
 $= l_{0}^{2} \sin (90 - (x + 6))$
 $= l_{0}^{2} \cos (x + 6)$
 $=$

In an uncompensated ct, turng ratio will be same as nominal vateo. Then transformation ratio will be more than nominal resultant ratio error will always be be.

Jurns compensation ;

nominal ratio it is preferable ato select no.

of turns on secondary to be less. This is

known as turns compensation.

The cause of errors in cr is due to NL current of TIF. At consists of core loss comp. 4 magnetising component.

ct is also known as series the and its secondary is almost operated under sloted condition.

ct secondary should not be open circuited while premary is energised. It may result into (a). Generation of high old volt across secondary terminals.

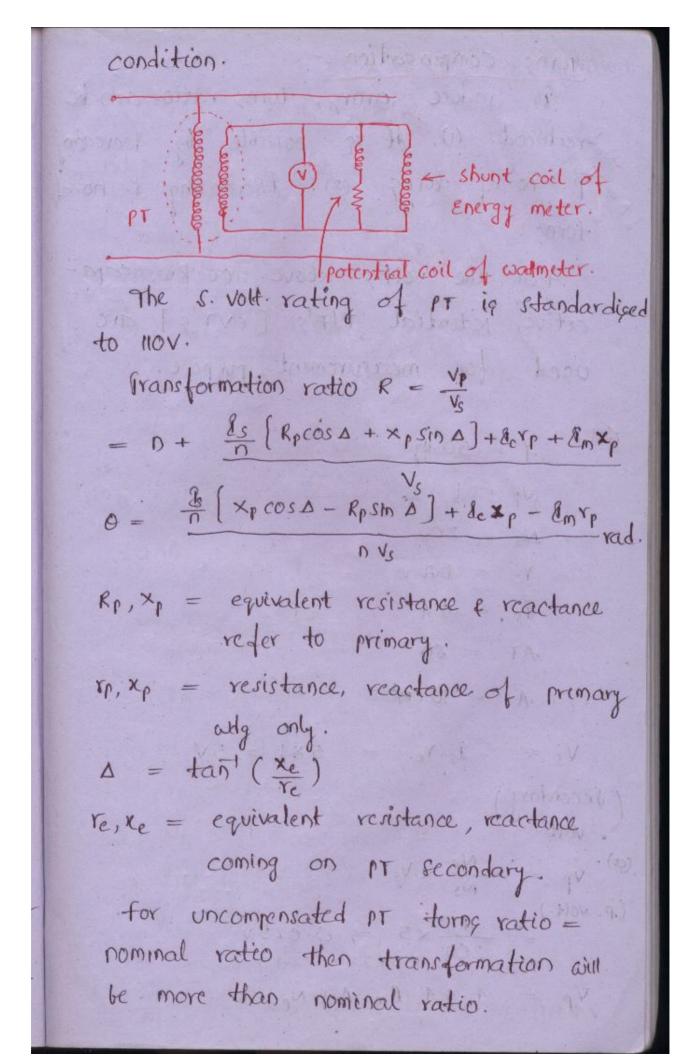
(6). Core may get saturate

(c). Insulation of cr may get damage.

* Potential Transformer: (PT):

equal to sldown volt and electrically equal to sldown TIF.

It is known as 11et TIF and Secondary of PT almost operated under ofc



Turns compensation: To reduce errors, turns ratio can be reduced W. It is possible by decreasing p. no. of turns (2). Encreasing s. no. of turns. for the volting above 100 kv; capacetive, potential TIF's [cvT's] are used for measurement purpose. 611 + f = 50 ty $N_1 = 1$ $N_2 = 200$ re = In to = 5 A man to leave to AT = 80 mm of my 10 cm² $V_s = a_s \cdot r_e = 5 \times 1 = 5 \vee$ (Secondary) (a) $V_{\Gamma} = \frac{N_{\Gamma}}{N_{S}} \times V_{S}$ (p. volt.) _ ___ x5 = 0.025 v Vp = 4.44 Bm. Af Np

$$R = 0 + \frac{8 \sin(\alpha + 8)}{1s}$$

$$= 200 + 1 \times \sin(23.57 + 0)$$

$$R = 200.08$$

$$0 = \frac{8 \cos(\alpha + 8)}{0.\frac{2}{3}} \cdot \frac{180}{10} \cdot \frac{1}{4s}$$

$$= 1 \times \cos(0 + 23.57) \cdot \frac{180}{10} \cdot \frac{1}{8s} = \frac{1}{200 \times 5}$$

$$= \frac{200 - 200.08}{200.08} \times 100\%$$

$$= \frac{200 - 200.08}{200.08} \times 100\%$$

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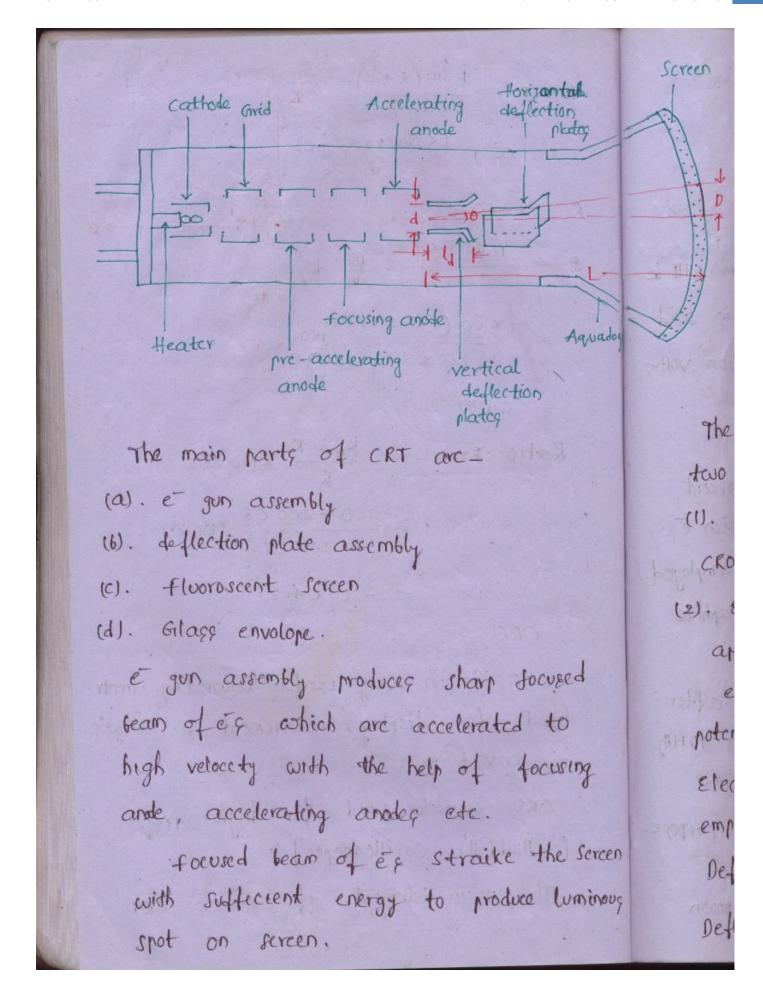
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Screen

screen The potentials arrived to grid and subsequent electrodes would be in the following range.

p grid -> -ve rotential

pre accelerating, accelerating anodeq -> High +ve potential (1500v).

focusing anode -> lower adjustable +ve voltage [unto 500 v].

The et beam focused on the screen in two methods.

(1). Electro static focusing: (used for CRO applications].

(2). Electro magnetic focusing: [for TV] applications].

et bearn will be deflected by the potentials applied to deflection plates. Electro static means of deflection is employed for the deflection of \bar{e} beam Deflection (D) = $\frac{L\cdot ld}{2d\times E_a}\times E_d$. Deflection sensitivity (S) = $\frac{D}{E_a}$

 $\Rightarrow S = \frac{L}{2d} \cdot \frac{L_d}{E_a}$

Deflection factor = $\frac{1}{5}$

Ea = accelerating anode volt.

Ed = Deflection plate voit.

At Ea is more then the beam will be highly accelerated and then it is said to be hard beam. High deflection volts required to deflect hard beam.

Aquadog:

whenever e beam straikes fluoroscent serven it produces secondary emission es. so collect these es Aquadog is employed. It is an homogeneous soln of graphite coated around glass envolope.

The e beam needs acceleration after deflection if signals of more than 10 HAz are to be displayed. nost deflection.

Accelerators are used for this purpose.

Display of unknown signal:

For the display of any unknown

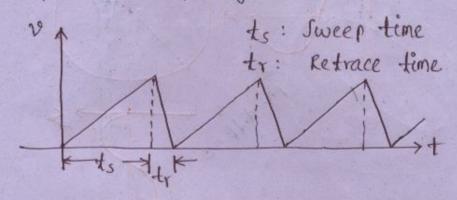
signal the volt-s applied to deflection plates are as follows.

(1). vertical deflection plates (4-plates)

- unknown signals.

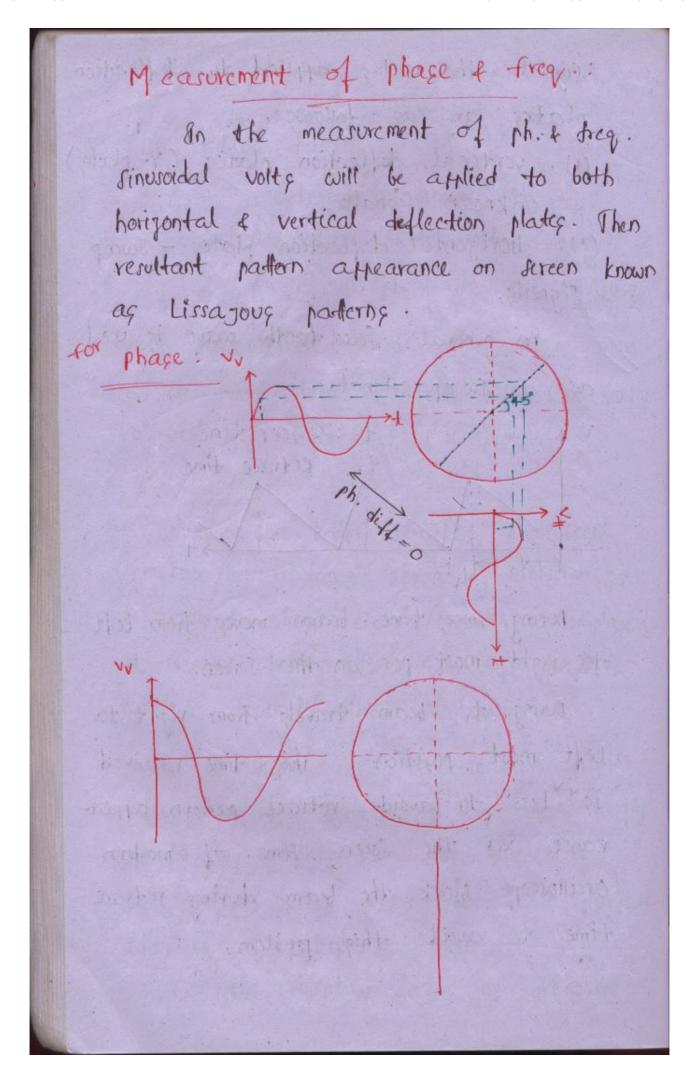
(2). Horizontal deflection plates - sweep signals.

an general saw tooth wave is used as a sweep Agnal.



During sweet time beam moves from left to right most pos. on the screen.

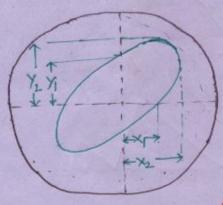
During tr, beam travely from right to left most position. This time required is "N'less to avoid retrace pattern appearance over the some of modern oscilloscope block the beam during retrace time to avoid this problem.



whenever equal amount of voltages are applied to both x-plates & y-plates, the shape of pattern for different ph. angles are as follows. $-for \phi = 0 \qquad \qquad \qquad \boxed{45^{\circ}}$ (= 128 Salara S respective to the tree, that were

when the mag of hor plate volt more than ver plate volt. then shape of pattern remain same but it bends towar do har axig

when mag. of vertical plate volt is more than hor plate volt then pattern bend towards vertical axis.

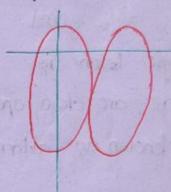


 $Sin\phi = \frac{x_1}{x_0} = \frac{y_1}{y_0}$

Measurement of frequency:

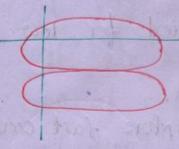
In the measurement of treg. unknown signal is applied to 4- plates. x-plates are fed with an oscillator whose freq. can be varied. This freq. will vary till a meaning fel pattern appears over cho sercen. Unknown freq. can be evaluated by by _ no. of intersections made by hor. line In no. of intersections made by ver line Two lines are to be drawn on pattern

one is hor a another is ver. These lines are to be drawn in such a way they should not pass through any intersection of curve and pass through whole curve.

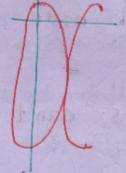


$$\frac{4y}{4x} = \frac{4}{2}$$

$$4y = \frac{4}{2} \times 50 = 100 \,\text{Hz}$$

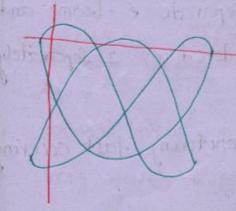


$$\frac{f_y}{f_x} = \frac{2}{4}$$



$$\frac{4y}{4x} = \frac{3}{2}$$

$$\frac{fy}{dx} = \frac{2}{5}$$



$$\frac{f_{4}}{f_{x}} = \frac{6}{4}$$

$$\rightarrow fy = \frac{6}{4} \times 50$$

-> 12 Spikes.

$$\frac{50}{4x} = 12$$

special type Nocillo scope;

pual il poscelloscopes:

2 types: (a). Dual trace

(b) Dual beam

oval trace o.s:

In this cro, a single beam is splitted into 2 traces. There are two operating modes for operating known as alternating, chop mode.

Atternate mode can't applied for low freq. signalq.

Dual trace o.s. can't capture fart occurring events.

pual beam o.s:

It has got two separate & beams and therefore can be considered as 2 separately vertical channels.

It is useful for monetoring fast occurring events also.

storage 0.s:

It is capable of retaining image on screen for longer time.

It is suitable for capture and storage of non-repetative wave forms like transients.

storage mesh may be used to retain image for longer time. Magnisium flouride is used in making of storage mesh.

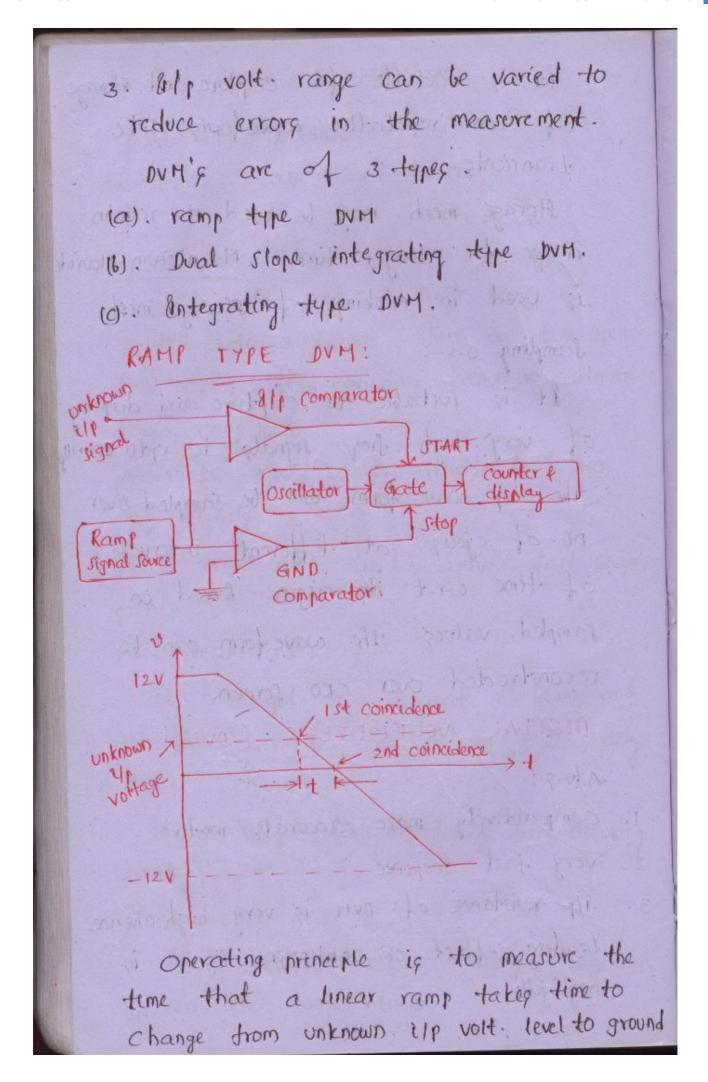
Sampling o.s.;

At is suitable to capture and display of very high frey signals is upto 300 Mg. The isp wave form will be sampled over no of cycles at different intervals of time w.r.t its origin. Based on sampled values the wave form can be reconstructed over cro sercen.

DIGITAL VOLTMETERS [DVM]:

Adv.9:

- 1. comparitively more accurate meters
- 2. very fast response
- 3. ilp resistance of DVM iq very high hence loading effect on unknown signal iq negligible.



level. [volt to time conversion].

Alp comparator identifies 1st coincidence and issues start pulse ground compaidentifies 2nd coincidence and issue stop pulse to gate.

counter counts cr's from start to stor pulses of gate. unknown volt is evolvated by multiplying time with slope of ramp signal.

large errors are possible when noise is superimposed on isp signal.